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# CALCULATION OF HIGH ENERGY EVENTS IN THERMAL REACTORS

## II. A COMPUTER CODE - HEETR

H. K. Clark

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CALCULATION OF HIGH ENERGY EVENTS  
IN THERMAL REACTORS

II. A Computer Code - HEETR

by

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#### ABSTRACT

A FORTRAN code is described which computes high energy events in thermal reactors having cylindrical fuel elements. The HEETR code is based on transmission and escape probabilities. Code calculations are compared with experimental determinations of the ratio of  $^{238}\text{U}$  to  $^{235}\text{U}$  fissions for lattices of natural uranium tubes and rod clusters in  $\text{D}_2\text{O}$ . Good agreement is obtained for lattices of single rods, but code calculations tend to exceed experimental values for lattices of tubes and rod clusters.

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## CALCULATION OF HIGH ENERGY EVENTS IN THERMAL REACTORS

### II. A Computer Code - HEETR

#### INTRODUCTION

In an earlier report<sup>(1)</sup>, a multigroup technique was described for calculating high energy events in thermal reactors having cylindrical fuel regions. The neutron current leaving a region was expressed in terms of the current entering the region by transmission probabilities and in terms of sources within the region by escape probabilities. Simplifying assumptions were made so that these probabilities could be readily calculated. Some simple applications of the technique were reported; extensive applications, however, require the use of a computer. A code has been written in FORTRAN II for performing these calculations on the IBM 704.

#### SUMMARY

The HEETR code for computing High Energy Events in Thermal Reactors is described and the FORTRAN listing is given. The basic assumptions used in the code are:

- Scattering in the laboratory system is isotropic.
- Distribution of secondary neutrons is uniform within each region.
- Distribution of currents at interfaces is uniform over the interface.
- Number of neutrons passing through an interface per unit solid angle is proportional to the cosine of the angle that the direction of travel makes with the normal to the interface.
- The reactor is infinite.

The code has a number of options. It is not necessarily limited to the calculation of high energy events in thermal reactors, but may be used wherever the basic assumptions have sufficient validity, e.g. for fast reactors having cylindrical fuel elements. For each neutron energy group, the code computes disadvantage factors in each region of each different fuel cylinder. The spatially averaged flux integrated over energy and spatial averages of nuclear parameters are also calculated for each group.

The code was applied to lattices of tubes and rod clusters in  $D_2O$ , which were studied experimentally in the Process Development Pile at the Savannah River Laboratory. Calculations of the ratio of  $^{238}U$  to  $^{235}U$  fissions in these lattices were compared with the experimental values. With the cross sections, group structure, and thermal fission source distributions employed, the calculated values of this ratio generally exceeded the experimental values. For the experiments performed with tubes, there appears to be reason to ascribe at least some of the discrepancy to a lack of precision in the data, which in turn is attributable to low flux levels. In the case of rod clusters, the discrepancy is at least partly due to the fact that the basic assumptions used in the code are poorer than when cylindrical symmetry exists. For single rods, the calculations agree well with the experiments.

A series of calculations for a uranium tube show that appreciable contributions to the ratio of  $^{238}U$  to  $^{235}U$  fissions arise from secondary neutrons that have been scattered by moderator and from neutrons passing through moderator from one tube to another or from one portion of the inner surface to another without having a collision in the moderator.

## DISCUSSION

### Approximations

The assumptions on which the HEETR code is based are:

(1) Secondary neutrons resulting from fissions and from neutrons being scattered are uniformly distributed throughout each region whether the region is a cylinder, an annulus, or surrounding space. When cylindrical symmetry exists within a fuel region, this approximation can be made as good as one wishes by taking a sufficiently large number of regions.

(2) Scattering is isotropic in the laboratory frame of reference.

(3) The current is uniformly distributed over each interface between regions.

(4) At each interface the fraction of the neutrons per unit solid angle crossing in a direction making an angle  $\theta$  with respect to the normal to the surface is  $\frac{\cos \theta}{\pi}$ . Attempting to improve the first approximation by subdividing regions may make this approximation poorer.

(5) The reactor consists of an infinite number of infinitely long cells. Where the leakage is small compared with the number of neutrons being removed from the energy range encompassed by the calculations, this approximation should be fairly good. Where leakage effects are important, axial leakage can be represented by fictitious absorption cross sections. Alternatively the reactor may be considered to consist of a single infinitely long cell containing symmetrically different types of fuel cylinders depending on their locations within the cell, but the first approximation concerning the uniformity of the source distribution in the space surrounding the fuel cylinder may be fairly poor if this approach is used. Probably the best approach is to employ the spatially averaged nuclear parameters calculated for each group in an infinite reactor by the HEETR code in a multigroup code for a homogeneous reactor that includes leakage effects.

### Mathematical Basis

Within each energy group and each region, the number of neutron interactions per unit time is computed as

$$A = Q + J^- - J^+$$



where  $Q$  is the number of secondary neutrons resulting from fission and from scattering events,  $J^-$  is the total current of neutrons entering from adjacent regions, and  $J^+$  is the total current of neutrons leaving the region. At internal interfaces the boundary conditions are continuity of the inward and outward currents. At external boundaries either a cell boundary condition may be used where the inward current equals the outward current or the Dancoff<sup>(2)</sup> approach may be used where cylinders interact through a surrounding medium.

The mathematical development employed in the code is identical with that given in Reference (1) with the following exceptions.

(1) Instead of attempting to set up and solve the matrix equations in the neutron currents, a group-by-group approach, standard in multi-group problems, is used. All secondary neutrons entering a neutron energy group as the result of scattering events in higher energy groups and all neutrons resulting from fissions in whatever group they may occur are lumped together in the source terms  $Q_k$  appearing, for example, in Equations 3-7<sup>(1)</sup>. This amounts formally to setting  $c_{kj} = 0$  in these equations when  $j \neq k$  (since these  $c_{kj}$  are now included in  $Q_k$ ), and results in an equation of identical form for each group. The calculation for each group may thus be treated as a one-group problem. The relative numbers of events in the various regions are calculated first for the group of highest energy from an assumed spatial distribution of source neutrons arising from fissions induced by neutrons of all energies including those encompassed by this group.

The calculation then proceeds to the second highest group where the source distribution is composed of the neutrons arising from the same assumed spatial distribution of fission neutrons together with those scattered into the second group from the first group. The calculation is continued in this manner down through the group of lowest energy where again the source neutrons are supplied by fission and by neutrons scattered from the higher energy groups.

From the ratios of the fission cross sections to the total cross sections and from the relative numbers of neutron interactions calculated for each region and each group a spatial distribution of fission neutrons is calculated, which is combined with any other source that may be present (e.g., from thermal fission). The assumed source distribution is adjusted to agree with the calculated distribution, and the group-by-group calculation is repeated. Iteration is continued until the calculated distribution reproduces the assumed distribution satisfactorily. The total source of fission neutrons is normalized to unity within a cell at the start of each iteration.

(2) With the foregoing simplifications, for each group and for each annular region Equation 12<sup>(1)</sup> becomes

$$L J_o = R J_i + S \quad (1)$$

The matrix L is

$$L = \begin{pmatrix} 1-c(1-E_o-E_i) & -T_{oo}(1-c(1-E_i))-cE_o(1-T_{io}) \\ 0 & -T_{io}(1-c(1-E_o))-cE_i(1-T_{oo}) \end{pmatrix}$$

and the matrix R is

$$R = \begin{pmatrix} T_{oi}(1-c(1-E_i))+cE_o & 0 \\ cE_i(1-T_{oi}) & -(1-c(1-E_o-E_i)) \end{pmatrix}$$

The terms  $T_{oo}$ ,  $T_{io}$ ,  $T_{oi}$ ,  $E_o$ , and  $E_i$  represent transmission and escape probabilities characteristic of the region and group, and  $c$  represents the number of secondary neutrons per interaction resulting from a scattering event that remain in the group.

The S vector is

$$S = \begin{pmatrix} QE_o \\ QE_i \end{pmatrix}$$

The current vectors are

$$J_o = \begin{pmatrix} J_o^+ \\ J_o^- \end{pmatrix} \quad \text{and} \quad J_i = \begin{pmatrix} J_i^- \\ J_i^+ \end{pmatrix}$$

where  $J_o^+$  and  $J_i^+$  represent the total currents integrated over the surface (per unit axial length) leaving the outer and inner surfaces of the annulus, and  $J_o^-$  and  $J_i^-$  represent the total currents entering these surfaces.

For a central cylindrical region

$$\begin{pmatrix} 1-c(1-E_o) & -T_{oo}-c(E_o-T_{oo}) \\ 1 & -1 \end{pmatrix} \begin{pmatrix} J_o^+ \\ J_o^- \end{pmatrix} = \begin{pmatrix} QE_o \\ Q-(1-c)A \end{pmatrix}$$

which can be solved for the vector  $J_o$ , giving

$$\begin{pmatrix} J_o^+ \\ J_o^- \end{pmatrix} = \begin{pmatrix} \frac{E_o-T_{oo}}{1-T_{oo}} Q \\ \frac{1-E_o}{1-T_{oo}} Q \end{pmatrix} + \begin{pmatrix} \frac{T_{oo}(1-c)+cE_o}{1-T_{oo}} A \\ \frac{1-c+cE_o}{1-T_{oo}} A \end{pmatrix} \quad (2)$$

$Q$  is known from the assumed spatial distribution of fission neutrons and from the solutions obtained for higher energy groups;  $E_o$ ,  $T_{oo}$ , and  $c$  can be computed from the properties of the medium contained within the region; and  $A$  is unknown. When the boundary conditions are applied at interfaces, the currents at the outermost cylindrical surface are expressed in terms of  $A$  of the innermost region and in terms of the sources in all regions. Application of the cell boundary condition then gives  $A$  in cell calculations, and an interaction calculation relating the currents at the surfaces of each symmetrically different coaxial combination of regions gives  $A$  for the central cylinder of each combination when the cell boundary condition is not used.

The latter calculation is performed by making use of the one-group version of Equation 19<sup>(1)</sup>

$$G J^+ + H J^- = EQ \quad (3)$$

where  $J^+$  and  $J^-$  are the vectors of the currents leaving and entering the outer surface of each symmetrically different cylinder, the elements of the matrices  $G$  and  $H$  are the elements  $G_{kij}$  and  $H_{kij}$  of Reference (1) with the group index  $k$  dropped,  $E$  is the vector of the escape probabilities from the surrounding medium (e.g. moderator) into each symmetrically different cylinder, and  $Q$  is the number of source neutrons in the surrounding medium within a cell. Once  $A$  is found for each central cylinder,  $A$  for each annular region and for the surrounding medium is readily obtained from the sources within each region and from the currents entering and leaving the region. The flux within a region is then simply the ratio of  $A$  to the total macroscopic cross section.

This method of calculation is satisfactory provided the transmission probability for an annulus is not too small, as is generally the case for fast neutrons for which the code was originally intended. For completely black regions, modifications are easily made to permit the calculation to be carried out, and presumably similar modifications could be made for nearly black regions. Such modifications, however, are not presently incorporated in the code.

(3) Simpler forms for the transmission probabilities  $T_{01}$  and  $T_{00}$  are used:

$$T_{01}(\alpha, \Sigma R) = \frac{2}{\pi} \int_{-1}^1 K_{13}(\Sigma R(\sqrt{1-\alpha^2 u^2} - \alpha \sqrt{1-u^2})) du \quad (4)$$

$$T_{00}(\alpha, \Sigma R) = \frac{4}{\pi} \int_{\alpha}^1 K_{13}(2\Sigma R \sqrt{1-u^2}) du \quad (5)$$

where  $\Sigma$  is the total (or the transport) cross section,  $R$  is the outer radius, and  $\alpha$  is the ratio of the inner and outer radius.

(4) The following form<sup>(3)</sup> is used for the Dancoff factor:

$$T_{ih}(R/d, \Sigma R) = \frac{1}{\pi^2} \int_{-1}^1 \int_{-1}^1 \frac{K_{13}(\Sigma R(\sqrt{(d/R)^2 - (u+v)^2} - \sqrt{1-u^2} - \sqrt{1-v^2}))}{\sqrt{(d/R)^2 - (u+v)^2}} du dv \quad (6)$$

where  $d$  is the axis-to-axis separation.

#### Description of HEETR Code

The HEETR code listing is given in Appendix A. To permit a large number of groups and regions, the code is divided into two parts. In the first part, microscopic cross sections read from a library are combined with atomic densities to give macroscopic cross sections for each type of material and for each energy group. The fraction of the fission spectrum included in each group is also computed in this part by Subroutine FNSPM. This information together with general input data is put on a scratch tape and is called into the core after the second part of the code has been called into the core by Subroutine LTAP1. The solution to a problem is obtained in the second part of the code, which employs a number of subroutines.

In Subroutine TRP the transmission probabilities and the Dancoff factors, if required, for each region and group are computed and stored. This procedure is adopted because the computation of these probabilities is fairly time-consuming and they do not change from one iteration to another. The Dancoff factor is computed from Equation 6 by 16 point Gauss quadrature of each integral in the double integral, except when  $\Sigma = 0$  for which the analytic evaluation of the integral is employed. Several different schemes were tried for evaluating the Dancoff integral before finally concluding that the 16 point quadrature gives satisfactory results, which are in fairly good agreement with Reference (3). Estimates are required for the fractions of neighboring cylinders "seen" when other cylinders intervene. For clusters such estimates are provided by extending the cluster conceptually and assuming that nearest neighbors, next nearest, etc. are "seen" completely until the sum of the fractions reaching these neighbor with  $\Sigma = 0$  equals unity. More distant neighbors are then assumed to be blocked from view.

The probability of transmission from the inner to the outer surface of an annulus,  $T_{01}$ , is computed directly from Equation 4 by 14 point Gauss quadrature except for small values of  $\Sigma R$  for which the  $K_{13}$  function is approximated by its first few terms, which are then integrated. More than 14 points were tried but were not found to give appreciably different results. The probability of transmission from the inner surface to the outer surface without passing through the inner surface,  $T_{00}$ , is computed from Equation 5 by computing the integral from  $-\alpha$  to  $\alpha$  again by 14 point Gauss quadrature and subtracting the result from the integral from  $-1$  to  $1$ , which is  $T_{00}$  for a cylinder ( $\alpha = 0$ ) and which has been integrated<sup>(4)</sup> to give

$$T_{00}(0, \Sigma R) = 1 - \frac{4(\Sigma R)^2}{3} \left\{ 2\Sigma R [K_1(\Sigma R)I_1(\Sigma R) + K_0(\Sigma R)I_0(\Sigma R)] - 2 \right. \\ \left. + \frac{K_1(\Sigma R)I_1(\Sigma R)}{\Sigma R} - K_0(\Sigma R)I_1(\Sigma R) + K_1(\Sigma R)I_0(\Sigma R) \right\} \quad (7)$$

The Bessel functions are evaluated by subroutines obtained from Hanford. For small and large values of  $\Sigma R$ , approximations<sup>(4)</sup> to Equation 7 are employed:

$$T_{00}(0, \Sigma R) = 1 - \Sigma R \left( 2 - \Sigma R \left( \frac{8}{3} - \Sigma R (\log 2 + 5/4 - \gamma - \log \Sigma R) \right) \right)$$

$$0 \leq \Sigma R < 0.1$$

$$T_{00}(0, \Sigma R) = \frac{3}{16(\Sigma R)^2} \left( 1 + \frac{5}{8(\Sigma R)^2} \right) \quad \Sigma R \geq 5$$

where  $\gamma$  is Euler's constant. For the general case, where  $\alpha > 0$ ,  $T_{00}(\alpha, \Sigma R)$  for  $\Sigma R < 0.1$  is integrated in the same manner as  $T_{01}$  by approximating the  $K_{13}$  function by its first few terms. Except where it is approximated by leading terms, the  $K_{13}$  function is computed from rational approximations<sup>(5)</sup>.

The number of interactions  $A$  in each region and in each group for a particular specification of the spatial distribution of the fission source is computed in Subroutine SOLN. The solution of the simultaneous equations resulting when symmetrically different fuel regions are present is obtained with the New York University Subroutine LEQ. When Dancoff factors are used, Subroutine MOD is used to compute the elements of  $G$ ,  $H$ , and  $E$  in Equation 3. Subroutine MATS computes the elements of  $L^{-1}$  and  $R$  in Equation 1 for each annular region. Subroutine JVECTR computes the terms in Equation 2 for the central cylinder, and by repeated application of boundary conditions relates the currents at the outer surface of the outermost annulus to the sources in all regions and to the interactions  $A$  in the central cylinder. Terms are saved so that when  $A$  is found for the cylinder,  $A$  is readily obtained for all regions by suitable multiplication.

In the main program, the normalization of fission sources and the iteration to a converged spatial distribution of fissions are carried out. Average fluxes and over-all average nuclear parameters are computed. The various printing options are exercised in the main program.

As presently dimensioned, each cylindrical element may consist of as many as 20 regions, the elements may belong to as many as 10 symmetry classes, the number of different materials may be as many as 9, the number of different isotopes and compounds of which the materials are composed may be as many as 25, and the number of energy groups may be as many as 20. Modifications in the dimensions are easily made. Thus, the number of groups can be increased at the expense, say, of the number of symmetry classes by a change in the DIMENSION statements in the programs and subroutines.

The amount of machine time is clearly a function of the complexity of the problem. The seven double-tube cases in Table I, the four 7-rod clusters in Table IV, and the two 19-rod clusters in Table IV took about one hour of machine time with 15 energy groups. Where many complex problems are to be run, considerable savings in machine time can probably be made by employing polynomial approximations to the transmission probabilities and Dancoff factor.

Five tape units are employed by the code. The first and second parts of the program are on Tape 1. Tape 5 is used for library data (microscopic cross sections and other nuclear parameters). Tape 8 is used for input data for running problems. Tape 2 is used for storing output from Part I. Tape 10 is used for storing output data computed by Part II.

#### Application of Code to PDP Lattices

The HEETR code computes spatial and energy averages of all nuclear parameters and hence furnishes information from which leakage can be computed as well as absorptions in the various materials present. About the only directly measurable parameter with which comparison can be made, however, is the ratio of  $^{238}\text{U}$  to  $^{235}\text{U}$  fissions in a thermal reactor. This ratio has been measured<sup>(6,7)</sup> for a number of natural uranium metal lattices of tubular elements and of rod clusters in a  $\text{D}_2\text{O}$ -moderated reactor. To check the code out and to provide some comparison with experiment, calculations were made by HEETR for these lattices to give not only this ratio, but also average values of all the nuclear parameters over the energy range lying above 2035 ev. The fast reactor cross sections compiled by Yiftah, Okrent, and Moldauer<sup>(8)</sup> were used for the cladding and for the uranium isotopes except that  $\nu$  in the first four groups was reduced by 1.9% for  $^{235}\text{U}$  and by 3.0% for  $^{238}\text{U}$  in line with more recent data.

Cross sections for  $\text{D}_2\text{O}$  and  $\text{H}_2\text{O}$  were computed by a zero-dimensional multigroup code employing a group lethargy width of 0.05. Appendix B (a complete sample printout for the first 19-rod cluster of Table IV) gives the cross sections with the lower value of  $\nu$ . The lower bound for the calculations was determined by the lower bound of the 15 group set of cross sections. The spatial distributions of fissions occurring below this energy were assumed to be those determined experimentally by thermal flux traverses.<sup>(6,8,7)</sup> In the 15 group scheme fissions in  $^{238}\text{U}$  are confined to the first four groups;  $^{235}\text{U}$  fissions of course occur in all groups. In the calculations, the actual physical interfaces were used and regions were not subdivided. For the clusters, estimates were made from scale drawings of the number of rods that a rod in one cluster could "see" in neighboring clusters.

Calculations were first made for 12 lattices of single and double tubes studied experimentally<sup>(8)</sup>. The description of the tubes and lattices will not be repeated here. The numbering of the lattices is the same as in the reference. Except where noted otherwise, all calculations used the transport cross section both in fuel and moderator, and Dancoff factors were used. The age  $\tau$  was calculated as  $\tau = (1/3\Sigma_{tr})/(\Sigma_c + \Sigma_f + \Sigma_r - \nu\Sigma_f)$ . The thermal value taken for  $\nu$  was 2.42.

The results calculated for the tubes are given in Table I, together with the experimental values of  $\delta$ , the ratio of  $^{238}\text{U}$  to  $^{235}\text{U}$  fissions.

TABLE I

Average Nuclear Parameters above 2035 ev  
for Lattices of Natural Uranium Tubes (a)

Tube	Lattice	$\Sigma_{tr}$	$\Sigma_c$	$\Sigma_f$	$\nu$	$\tau$	$\delta$	
							Calc.	Exptl.
Single	1	0.274	0.00140	0.00058	2.76	56.85	0.0547	0.044 $\pm$ 0.007
	1(a)	0.274	0.00140	0.00058	2.76	56.85	0.0543	
	1(b)	0.274	0.00140	0.00057	2.76	56.83	0.0542	
	1(c)	0.274	0.00140	0.00058	2.76	56.87	0.0553	
	2	0.273	0.00127	0.00054	2.76	56.74	0.0508	0.033 $\pm$ 0.007
	3	0.269	0.00109	0.00047	2.76	56.88	0.0435	0.026 $\pm$ 0.005
	4	0.263	0.00053	0.00040	2.78	56.29	0.0375	0.025 $\pm$ 0.005
	11	0.279	0.00169	0.00069	2.76	57.04	0.0659	0.046 $\pm$ 0.007
	5	0.280	0.00177	0.00070	2.76	57.01	0.0665	0.061 $\pm$ 0.008
	6	0.275	0.00142	0.00061	2.76	56.42	0.0579	0.046 $\pm$ 0.008
	7	0.279	0.00177	0.00069	2.76	57.49	0.0665	0.064 $\pm$ 0.010
Double	8	0.278	0.00156	0.00067	2.76	56.54	0.0643	0.046 $\pm$ 0.008
	9	0.278	0.00159	0.00069	2.76	56.56	0.0654	0.052 $\pm$ 0.008
	10	0.266	0.00076	0.00059	2.77	56.43	0.0571	0.061 $\pm$ 0.010
	12	0.279	0.00182	0.00079	2.76	59.06	0.0784	0.067 $\pm$ 0.010

(a) Includes contributions from 6 nearest neighbors only.

(b) Cell boundary condition used rather than Dancoff factors.

(c) Cell boundary condition and total cross section in moderator rather than transport cross section.

In Table II values of  $\delta$  are given for each tube in the double tube assemblies, although these individual ratios were not measured experimentally. Except for lattice 10 the calculated values of the over-all ratio of  $^{238}\text{U}$  to  $^{235}\text{U}$  fissions lie above the experimental values, and only for lattices 5, 7 and 10 are the calculated results within the quoted range of experimental error (the result for lattice 12 is close). It hardly seems likely that much of the discrepancy can lie in reasonable errors in the nuclear parameters. Lattices 4 and 10 differed respectively from lattices 3 and 9 only in the pitch, which was 14 inches for 4 and 10 rather than 7 inches as for all other lattices. The trend in the experimental values for 9 and 10 is clearly in the wrong direction.



TABLE II  
Ratio of  $^{238}\text{U}$  to  $^{235}\text{U}$  Fissions  
in Each Tube of Double Tube Assemblies

<u>Lattice</u>	<u><math>\delta</math></u>		
	<u>Inner Tube</u>	<u>Outer Tube</u>	<u>Over-All</u>
5	0.0744	0.0635	0.0665
6	0.0662	0.0532	0.0579
7	0.0745	0.0615	0.0665
8	0.0751	0.0569	0.0643
9	0.0723	0.0600	0.0654
10	0.0645	0.0515	0.0571
12	0.1002	0.0667	0.0784

On the basis of tube dimensions one would expect  $\delta$  for lattice 7 to be closer to  $\delta$  for lattice 8 and  $\delta$  for lattices 1 and 11 to differ more than was found experimentally. There thus appears some basis for assigning at least part of the discrepancy to a lack of precision in the experimental data, which in large part may be due to low flux levels<sup>(e)</sup>.

For lattice 1, variations in the options used in the code were tried. As Table I shows, for this lattice, the cell boundary condition gives a somewhat smaller  $\delta$  than is obtained with the use of Dancoff factors. When Dancoff factors are used, contributions from tubes beyond the six nearest neighbors add very little. It makes little difference whether the total cross section or the transport cross section is used in the moderator, provided  $c$  is adjusted (as it is in the code) so that when the transport cross section is used the numbers of neutrons per interaction absorbed and transferred to lower energy groups are the same as when the total cross section is used.

To investigate the origin of various contributions to  $\delta$ , some calculations were set up for a hypothetical lattice of natural uranium tubes with inner and outer radii of 4.0 and 4.5 cm. These tubes are similar to those used in lattice 3, which had inner radii of 3.87 cm and outer radii of 4.39 cm. The moderator was taken to be pure  $\text{D}_2\text{O}$ . The cell radius was 9.5 cm. A cell calculation was performed in which the transport cross section was used. Results of these calculations are given in Table III and show that appreciable contributions to  $\delta$  come from secondary neutrons that have had at least one interaction in the moderator and from neutrons passing through the moderator from one tube to another or from one portion of the inner surface of a tube

TABLE III

Source of Contributions to  
 $\delta$  in 8-cm ID, 9-cm OD Tube

Situation Considered	$\delta$
Tube immersed in moderator (as in Table I)	0.0409
Central moderator replaced by fictitious, purely absorbing medium with same $\Sigma_T$	0.0359
Same as immediately above but $\Sigma_T$ increased by a factor of 10	0.0319
Same as first case except outer moderator replaced by fictitious absorber with same $\Sigma_T$	0.0355
Both inner and outer moderator replaced by fictitious absorber with same $\Sigma_T$	0.0319
No neutrons entering inner or outer surfaces of tube	0.0283

to another without having a collision. It was not possible to perform valid calculations when the cross section of the outer fictitious absorbing medium was increased by 10, because the blackness of the annulus made the calculations insensitive to the cell boundary condition. The last  $\delta$  in the table was obtained by a hand calculation using escape probabilities calculated for the tube. It should be noted that even this result is higher than one would expect from the experimental results. For this same tube a calculation was made in which the inner and outer moderator were subdivided into annuli 1 cm thick. The central moderator cylinder had a diameter of 2 cm. The value calculated for  $\delta$  was 0.405 compared with 0.409 when no subdivision was made. The respective values of  $\tau$  were 55.93 and 55.91 cm<sup>2</sup>. Subdivision of the moderator, in this case at least, thus has little effect.

The next set of lattices<sup>(7)</sup> for which calculations were made consisted of 1-inch-diameter natural uranium rods and clusters of these rods containing 3, 7, and 19 rods per cluster. The Dancoff factors were used in all cases. For the 7-rod clusters there were two symmetry types, and for the 19-rod clusters, four symmetry types. Results of the calculations are given in Table IV. The experimental data also include values of  $\delta$  for rods at each symmetrically different location within a cluster. These ratios are compared with the calculations in Table V.

TABLE IV

Average Nuclear Parameters Above 2035 ev  
for Lattices of Natural Uranium Rod Clusters<sup>(7)</sup>

Rods/ Cluster	Pitch, in.	$\Sigma_{tr}$	$\Sigma_c$	$\Sigma_f$	$\nu$	$\tau$	Average $\delta$	
							Calc.	Exptl.
1	7.00	0.263	0.00058	0.00056	2.78	57.02	0.0544	0.053
	7.00 <sup>(a)</sup>	0.263	0.00058	0.00056	2.78	57.02	0.0544	
	8.08	0.262	0.00051	0.00055	2.78	57.01	0.0536	0.054
	9.33	0.261	0.00045	0.00054	2.78	57.01	0.0530	0.050
	12.12	0.260	0.00038	0.00053	2.79	57.01	0.0524	0.048
3	7.00	0.272	0.00122	0.00074	2.77	57.70	0.0729	0.063
	14.00	0.262	0.00055	0.00067	2.78	57.58	0.0666	0.062
7	12.12	0.269	0.00106	0.00086	2.78	58.33	0.0864	0.071
	14.00	0.267	0.00089	0.00084	2.78	58.30	0.0851	0.067
	18.52	0.264	0.00067	0.00083	2.79	58.29	0.0837	0.068
	18.52 <sup>(b)</sup>	0.263	0.00062	0.00069	2.79	57.55	0.0689	0.057
19	14.00	0.279	0.00180	0.00102	2.77	59.18	0.1049	0.100
	18.52	0.271	0.00120	0.00098	2.78	58.97	0.1008	0.102

(a) Calculation includes effect of only the 6 nearest neighbors.

(b) Triangular pitch of 2 inches in cluster. All other clusters had a 1.5-inch pitch within the cluster.

TABLE V

Ratio of  $^{238}\text{U}$  to  $^{235}\text{U}$  Fissions  
in Rods in Symmetrically Different Locations<sup>(a)</sup>

Rods/ Cluster	Pitch, in.	$\delta$ at Rod Location							
		1		2		3		4	
		Calc.	Exptl.	Calc.	Exptl.	Calc.	Exptl.	Calc.	Exptl.
7	12.12	0.1260	0.105	0.0820	0.067				
	14.00	0.1252	0.098	0.0807	0.063				
	18.52	0.1234	0.098	0.0793	0.066				
	18.52	0.0875	0.074	0.0667	0.055				
19	14.00	0.2360	0.179	0.1681	0.152	0.0939	0.097	0.0814	0.075
	18.52	0.2089	0.167	0.1622	0.142	0.0950	0.105	0.0755	0.076

(a) Rod locations are numbered from center outward<sup>(7)</sup>.

Agreement with experiment in the case of the single rods is good. The disagreement in the case of the clusters can probably be explained at least partially on the basis of a decrease in the validity of the first and third approximations. The thermal fission source is actually higher toward the outside of the cluster and this should tend to enhance the current directed outward into the moderator at the expense of the current directed toward the center of the cluster. Errors in the estimates of numbers of neighboring rods "seen" may also contribute to the discrepancy. Homogenizing the cluster and treating it as a number of coaxial annuli, as Maerkl and Fowler<sup>(10)</sup> do in a similar treatment of fast fissions, should improve the agreement between calculation and experiment since they found very good agreement between calculations and experiments for the lattices they studied.

#### Input to HEETR

As many cards are used for library and for problem data as are required by the information being supplied. Each card is begun at the left. The cards must be read onto the library tape (5) and the input data tape (8).

#### Library Data

<u>Format</u>	<u>Data</u>
14I5	NG, NM NG = No. of groups. NM = No. of isotopes or compounds.
7F10.6	(ST(J,I),J=1,NG), (STR(J,I),J=1,NG), (SC(J,I),J=1,NG), (SF(J,I),J=1,NG), (VNU(J,I),J=1,NG), (SIJ(J,I),J=1,NIJ), AWT(I) ST, STR, SC, and SF are the microscopic cross sections $\sigma_t$ , $\sigma_{tr}$ , $\sigma_c$ , and $\sigma_f$ for the $I^{th}$ isotope in the $J^{th}$ group. VNU is the number of neutrons per fission $\nu$ . SIJ is the microscopic cross section $\sigma_{KJ}$ for transfer from group J to group K; the order of listing is $\sigma_{11}$ , $\sigma_{21}$ , $\sigma_{22}$ , $\sigma_{31}$ , $\sigma_{32}$ , $\sigma_{33}$ , ..., $\sigma_{(NG+1)(NG)}$ . AWT is the atomic or molecular weight. The items are listed serially as indicated with no breaks; a new card is started each time I advances.
7F10.6	(EL(I),I=1,NG) EL is the lower bound of a group in Mev and is greatest for group 1.
12A6	(CC(I),I=1,NM) CC is a label of no more than 6 letters describing the $I^{th}$ isotope or material.

Problem Data

Format

Data

14I5 NSC, (NR(I), I=1, NSC), (NWSC(I), I=1, NSC), NRT, NST, NSA, NSR, NCC, NP, (NOUT(I)  
I=1, 5)

NSC is the number of symmetrically different types of fuel cylinders per cell. NR is the number of regions within each type. NWSC is the number of members of each type. NRT is the number of different materials. NST is the solution type. If  $0 \leq \text{NST} \leq 3$  the transport cross section is used in computing transmission and escape probabilities, and the number of secondaries remaining in a group  $i$  is given by  $c = (\sigma_{tr} - \sigma_t + \sigma_{ii}) / \sigma_{tr}$ . If  $4 \leq \text{NST} \leq 7$  the total cross section is used, and  $c = \sigma_{ii} / \sigma_t$ . If  $\text{NST} = 2, 3, 6, 7$  a cell boundary condition is used (available only if  $\text{NSC} = \text{NWSC}(\text{NSC}) = 1$ ; otherwise Dancoff factors are used. If NST is even, the fission source FS gives the actual distribution in the thermal group  $(\text{NG}+1)$ ; if NST is odd, FS is an estimate of the over-all source distribution resulting from fissions in all NG groups. In this case, either there is no thermal group or it is group NG. If 10 is added to NST, the solution type is unchanged but the code computes the ratio of  $^{238}\text{U}$  to  $^{235}\text{U}$  fissions in each uranium region. If this option is selected, NST must be even, material number 2 must be uranium, and material number 3 must be  $^{238}\text{U}$  having the same atomic density as in the uranium. (No region will contain material number 3.) NSA is the number of different intra-cell axis-to-axis spacings. NSR is the number of different inter-cell axis-to-axis spacings. If  $\text{NSC} = \text{NWSC}(\text{NSC}) = 1$ , NSR is taken to be 0, and NSA is taken to be the total number of different axis-to-axis spacings to be considered and must be  $\geq 1$ . NCC is the negative of exponent of 10 used as a convergence criterion (NCC was 4 for the calculations made for Tables I-V). NP is the problem number. NOUT specifies printout option. If  $\text{NOUT}(1) \neq 0$ , fission sources and disadvantage factors for each region and group are printed. If  $\text{NOUT}(2) \neq 0$ , axis-to-axis spacings, weights WTS, and weights in an infinite lattice WIL are printed. If  $\text{NOUT}(3) \neq 0$ , all transmission probabilities and Dancoff factors are printed. If  $\text{NOUT}(4) \neq 0$ , macroscopic cross sections for each material are printed. If  $\text{NOUT}(5) \neq 0$ , library is printed.

7F10.6 (COMP(J,I),J=1,NM+1)

COMP(1,I) is the density of the I<sup>th</sup> material and COMP(J,I) for 2 ≤ J ≤ NM+1 is the weight fraction of each isotope in the library in the order listed appearing in the I<sup>th</sup> material. A new card is started each time I advances. Moderator must be material number 1.

14I5 (INT(J,I),J=1,NR(I))

7F10.6 (RAD(J,I),J=1,NR(I))

7F10.6 (FS(J,I),J=1,NR(I))

INT indicates the material of which the J<sup>th</sup> region in the I<sup>th</sup> symmetry type is composed. RAD is the outer radius of the region. FS is the thermal fission source or the estimated source in the region depending on NST. INT, RAD, and FS each starts a new card. The cycle repeats each time I advances. There are NSC cycles.

7F10.6 UATAS,FSM,RADC,VNUTH

UATAS is the minimum axis-to-axis spacing in cm. FSM is the fission source within a cell in the region surrounding the cylinders. RADC is the cell radius in cm. VNUTH is the number of neutrons released per thermal fission.

7F10.6 (ATAS(I),I=1,NSA), (ATAS(NSA+I),I=1,NSR)

ATAS is the axis-to-axis spacing expressed as a multiple of UATAS. Those within a cell are listed first in increasing order followed by those involving more than one cell.

24F3.2 (WIL(I),I=1,NSA)

WIL is the number of elements at each intracell spacing in an infinite lattice formed by extending the cluster of elements within a cell.

24F3.2 (WTS(K,I,J),K=1,NSA+NSR)

WTS is the number of elements of symmetry type J transmitting neutrons to an element of symmetry type I separated from it by ATAS(K). A new card is started each time J advances and a new cycle (and card) is started each time I advances.

14I5 NSC,(NR(I),I=1,NSC), etc.

Cards for the next problem, which must use the same library. If NSC=0, NR(1) is interpreted as a series number for a group of problems, and tape 1 is rewound to be ready for another series using a different library.

## Output from HEETR

The regular output, which may be supplemented by any or all of the five options indicated by NOUT, consists first of the problem number, a description of the type of solution as indicated by NST, and the density and composition of each material in the cell. This information is followed by optional printouts of the library and the macroscopic cross sections of each material. Next the code prints for each group the lower energy bound, the fraction of the fission spectrum included, and the spatially averaged flux integral normalized to unity for the integral over the entire energy range encompassed by all the groups. These are followed by spatial averages of  $\Sigma_t$ ,  $\Sigma_{tr}$ ,  $\Sigma_c$ ,  $\Sigma_f$ ,  $v\Sigma_f$ , and  $v$  for each group. Spatially averaged values of the macroscopic transfer cross section  $\Sigma_{kj}$  are listed next. Finally if there is a thermal group not encompassed by the code, values averaged over space and over all energies encompassed by the NG groups are listed for  $\bar{\Sigma}_t$ ,  $\bar{\Sigma}_{tr}$ ,  $1/(\bar{1}/\bar{\Sigma}_{tr})$ ,  $\bar{\Sigma}_c$ ,  $\bar{\Sigma}_f$ ,  $\bar{v}$ ,  $v\bar{\Sigma}_f$ , and  $\bar{\Sigma}_r$  where  $r$  denotes removal below the lower bound of the group of lowest energy; an age  $\tau$  is computed as  $\tau = (\bar{1}/\bar{\Sigma}_{tr}) / (3\bar{\Sigma}_c + 3\bar{\Sigma}_f + 3\bar{\Sigma}_r - 3v\bar{\Sigma}_f)$ ; and the fraction of the source neutrons arising from thermal fissions and the ratio of fast-to-thermal fissions are given. The ratio of  $^{238}\text{U}$  to  $^{235}\text{U}$  fissions in each symmetrically different uranium region and the over-all ratio for the cell follow next if this option was selected.

An optional printout then gives the outer radius, the volume fraction, the fission source, and the disadvantage factor in each group for the moderator surrounding the fuel cylinders and for each region of each symmetrically different fuel cylinder. The next optional printout gives axis-to-axis spacings and weights. The final optional printout gives Dancoff factors and transmission probabilities.

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# APPENDIX A - FORTRAN LISTING

```

PART 1      HEETR CODE      H. K. CLARK      8211-1K
301 FORMAT(14I5)
302 FORMAT(7F10.5)
303 FORMAT(//////)
304 FORMAT(24F3.2)
305 FORMAT(12A6)
310 FORMAT(50X14HPROBLEM NUMBERI5)
311 FORMAT(1H065X18HWEIGHT FRACTION OF)
312 FORMAT(30+ TYPE NO. DENSITY(G/CC) ,2XA6,8(4XA6))
313 FORMAT(I8,F18.5,F13.6,3F10.5)
314 FORMAT(46H1PRINTOUT OF LIBRARY TAPE AND FISSION SPECTRUM)
315 FORMAT(98H1 GROUP EL(MEV) FISSION SOURCE SIGMA-T SIGMA-
1TR SIGMA-C SIGMA-F NJ A6,F16.3)
316 FORMAT(I5,1PE14.4,OPF12.5,1PE15.3,3E12.3,OPF9.3)
317 FORMAT(104+0 SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J),
1ARRANGED AS 11, 21, 22, 31, 32, 33,...,(NG+1)(NG))
318 FORMAT(10X11F10.4)
319 FORMAT(74H1PRINTOUT OF MACROSCOPIC CROSS SECTIONS AND FISSION SPEC
1TRUM FOR EACH TYPE)
320 FORMAT(112H1 GROUP EL(MEV) FISSION SOURCE SIGMA-T SIGMA
1-TR SIGMA-C SIGMA-F NJSIGMA-F TYPE NUMBER I1)
321 FORMAT(I5,1PE14.4,OPF12.5,F15.7,4F12.7)
322 FORMAT(120H1HEETR CODE COMPUTES EVENTS IN CYLINDER
1ICAL CELLS FROM ESCAPE AND TRANSMISSION PROBABILITIES )
323 FORMAT(31H1END OF LAST PROBLEM OF SERIES 12/:///)
324 FORMAT(120H0SOURCE SUPPLIED FOR EACH REGION IS RELATIVE NUMBER OF
1NEUTRONS PRODUCED BY FISSIONS OCCURRING IN GROUP NG+1. )
325 FORMAT(120H0SOURCE SUPPLIED FOR EACH REGION IS ESTIMATE OF RELATIV
1E NUMBER OF NEUTRONS PRODUCED BY FISSIONS OCCURRING IN NG GROUPS.)
326 FORMAT(120H0TRANSMISSION AND ESCAPE PROBABILITIES ARE COMPUTED FRO
1M TOTAL CROSS SECTIONS. )
327 FORMAT(120H0TRANSMISSION AND ESCAPE PROBABILITIES ARE COMPUTED FRO
1M TRANSPORT CROSS SECTIONS. )
328 FORMAT(120H0DANC OFF FACTORS ARE EMPLOYED FOR INTERACTION BETWEEN E
1LEMENTS IMMERSSED IN MODERATOR. )
329 FORMAT(120H0THE CELL APPROXIMATION IS MADE WITH ZERO CURRENT AT TH
1E CELL BOUNDARY. )
DIMENSION ST(20,25),STR(20,25),SC(20,25),SF(20,25),VNU(20,25),SIJ(
1230,25),AWT(25),COMP(26,10),EL(20),SGMT(20,10),SGMTR(20,10),SGMC(2
20,10),SGMB(20,10),VSGMB(20,10),SGMIJ(230,10),SPRM(20),NWSC(10)
DIMENSION NR(10),INT(20,10),RAD(20,10),FS(20,10),ATAS(24),WTS(24,1
10,10),WIL(24),CC(25),NOUT(5)

```

NG=NO. OF GROUPS, NSC=NO. OF SYMMETRY CLASSES, NR(I)=NO. OF  
 REGIONS IN EACH CLASS, NRT=NO. OF DIFFERENT TYPES OF REGIONS IN  
 CELL, NM=NO. OF MATERIALS FOR WHICH DATA ARE TO BE READ, NWSC(I)=  
 NO. OF UNITS WITHIN EACH SYMMETRY CLASS, ST(I,J)= SIGMA TOTAL OF  
 MATERIAL J IN GROUP I. SIMILARLY STR, SC, SF, AND VNU REPRESENT  
 SIGMA TRANSPORT, SIGMA CAPTURE, SIGMA FISSION, AND NU. SIJ(I,J)  
 REPRESENTS TRANSFER CROSS SECTIONS OF MATERIAL J ARRANGED IN THE  
 ORDER 11, 21, 22, 31, 32, 33,...,(NG+1)(NG). INT(J,I) IS THE

REGION TYPE INDEX FOR SYMMETRY CLASS 1. INT(J,I) ASSUMES A TYPE NO. FOR EACH REGION J. AWT(I)=ATOMIC WEIGHT OF MATERIAL I. COMP(I,J)=DENSITY OF TYPE J FOLLOWED IN ORDER BY WEIGHT FRACTIONS OF VARIOUS MATERIALS I-1. RAD(I,J)=OUTER RADIUS OF REGION I OF SYMMETRY CLASS J. EL(I)=LOWER BOUND OF GROUP I IN MEV. FS(I,J)=ESTIMATED OR ACTUAL FISSION SOURCE IN EACH REGION I OF EACH SYMMETRY CLASS J. NP=PROBLEM NO. NST=SOLUTION TYPE(IF NST IS EVEN, FS IS ACTUAL SOURCE IN NG+1 GROUP. IF ODD FS IS ESTIMATE. 0 THRU 3 INDICATE TRANS. APPROX.). ATAS(I)=POSSIBLE AXIS TO AXIS SEPARATION VALUES IN INCREASING ORDER. WTS(I,J,K)=NO. OF UNITS IN SYMMETRY CLASS K TRANSMITTING NEUTRONS TO UNIT OF SYMMETRY CLASS J AT A SEPARATION ATAS(I). FSM=ACTUAL OR ESTIMATED FISSION SOURCE IN MODERATOR.

INTRACELL SPACINGS MUST BE LISTED FIRST IN INCREASING ORDER FOLLOWED BY INTERCELL SPACINGS, EVEN IF SOME INTER ARE LESS UATAS=UNIT AXIS TO AXIS SEPARATION. RADC=RADIUS OF CELL IF NST=2,3,6,OR 7,(AND IF NSC=NWSC(NSC)=1) CODE USES CELL BOUNDARY IF RATIO OF U-238 TO U-235 FISSIONS IS DESIRED, NST IS INCREASED BY 10. THE URANIUM MUST BE MATERIAL TYPE 2, AND MATERIAL TYPE 3 MUST BE PURE U-238 HAVING THE SAME ATOMIC DENSITY AS IN MATERIAL TYPE 2. THIS OPTION IS AVAILABLE ONLY WHEN NST IS EVEN. NCC IS NEGATIVE EXPONENT OF 10 FOR CONVERGENCE CRITERION MODERATOR REGION IS ALWAYS TYPE 1. NSA=NO. OF INTRA CELL SPACINGS. NSR=NO. OF INTERCELL SPACINGS

NOUT SPECIFIES OUTPUT. IT CONSISTS OF 5 NUMBERS. IF FIFTH NUMBER IS NON-ZERO, LIBRARY TAPE IS PRINTED. IF FOURTH NUMBER IS NON-ZERO MACROSCOPIC SIGMAS FOR TYPES EMPLOYED ARE PRINTED. IF THIRD NUMBER IS NON-ZERO, TPOO, TPOI, AND DTP ARE PRINTED. IF SECOND NUMBER IS NON-ZERO, ATAS, WTS, AND WIL ARE PRINTED. IF FIRST NUMBER IS NON-ZERO, FISSION SOURCES AND DISADVANTAGE FACTORS ARE PRINTED.

```

NLIB=5
NTIN=8
NTOUT=10
REWIND 2
READ INPUT TAPE NLIB,301,NG,NM
NIJ=((NG+1)*(NG+2))/2-1
DO 2 I=1,NM
2 READ INPUT TAPE NLIB,302, (ST(J,I),J=1,NG), (STR(J,I),J=1,NG), (SC(J,
1I),J=1,NG), (SF(J,I),J=1,NG), (VNU(J,I),J=1,NG), (SIJ(J,I),J=1,NIJ)
2,AWT(I)
READ INPUT TAPE NLIB,302, (EL(I),I=1,NG)
READ INPUT TAPE NLIB,305,(CC(I),I=1,NM)
REWIND NLIB
READ INPUT TAPE NTIN,301,NSC,(NR(I),I=1,NSC),(NWSC(I),I=1,NSC),NRT
1,NST,NSA,NSR,NCC,NP,(NOUT(I),I=1,5)
IF(NSC)21,21,22
21 REWIND 1
WRITE OUTPUT TAPE NTOUT,323,NR(1)
CALL RETURN
22 WRITE OUTPUT TAPE NTOUT,322
K=NM+1
DO 4 I=1,NRT
4 READ INPUT TAPE NTIN,302,(COMP(J,I),J=1,K)
DO 3 I=1,NSC
K=NR(I)
READ INPUT TAPE NTIN,301,(INT(J,I),J=1,K)
READ INPUT TAPE NTIN,302,(RAD(J,I),J=1,K)
3 READ INPUT TAPE NTIN,302,(FS(J,I),J=1,K)
READ INPUT TAPE NTIN,302,UATAS,FSM,RADC,VNUTH
NATAS=NSA+NSR
READ INPUT TAPE NTIN,302,(ATAS(I),I=1,NATAS)
READ INPUT TAPE NTIN,304,(WIL(I),I=1,NSA)
DO 5 I=1,NSC
DO 5 J=1,NSC
5 READ INPUT TAPE NTIN,304,(WTS(K,I,J),K=1,NATAS)
CALL EFM
DO 18 I=1,NATAS
18 ATAS(I)=UATAS*ATAS(I)
DO 14 I=1,NRT
DO 7 J=1,NG
SGMT(J,I)=0.
SGMTR(J,I)=0.
SGMC(J,I)=0.
SGMB(J,I)=0.
7 VSGMB(J,I)=0.
DO 8 J=1,NIJ
8 SGMIJ(J,I)=0.
DO 14 J=1,NM
IF(COMP(J+1,I))14,14,10
10 XN=COMP(1,I)*COMP(J+1,I)*.6023/AWT(J)
DO 11 L=1,NG
SGMT(L,I)=SGMT(L,I)+XN*ST(L,J)
SGMTR(L,I)=SGMTR(L,I)+XN*STR(L,J)
SGMC(L,I)=SGMC(L,I)+XN*SC(L,J)
SGMB(L,I)=SGMB(L,I)+XN*SF(L,J)
11 VSGMB(L,I)=VSGMB(L,I)+XN*SF(L,J)*VNU(L,J)
DO 12 L=1,NIJ
12 SGMIJ(L,I)=SGMIJ(L,I)+XN*SIJ(L,J)
14 CONTINUE

```

```

      SM=0.
      DO 17 I=1,NG
      IF(I-1)15,15,16
15    SPRM(I)=FNSPM(EL(I))
      GO TO 17
16    SM=SM+SPRM(I-1)
      SPRM(I)=FNSPM(EL(I))-SM
17    CONTINUE
      IF(NST-10)101,100,100
100   MST=MST
      NST=MST-10
101   WRITE OUTPUT TAPE NTOUT,303
      WRITE OUTPUT TAPE NTOUT,310,NP
      IF(FLOATF(NST/2)-FLOATF(NST)/2.+1)23,23,24
23    WRITE OUTPUT TAPE NTOUT,325
      GO TO 25
24    WRITE OUTPUT TAPE NTOUT,324
25    N=NST/4+1
      GO TO (26,27),N
26    WRITE OUTPUT TAPE NTOUT,327
      GO TO 28
27    WRITE OUTPUT TAPE NTOUT,326
28    N=NST+1
      GO TO (29,29,30,30,29,29,30,30),N
29    WRITE OUTPUT TAPE NTOUT,328
      GO TO 42
30    WRITE OUTPUT TAPE NTOUT,329
42    WRITE OUTPUT TAPE NTOUT,303
      NST=MST
      IF(NM-9)31,31,32
31    N=NM
      GO TO 33
32    N=9
33    WRITE OUTPUT TAPE NTOUT,311
      WRITE OUTPUT TAPE NTOUT,312,(CC(I),I=1,N)
      DO 34 I=1,NRT
34    WRITE OUTPUT TAPE NTOUT,313,I,COMP(1,I),(COMP(J+1,I),J=1,N)
      WRITE OUTPUT TAPE NTOUT,303
      IF(NM-9)45,45,35
35    IF(NM-18)36,36,37
36    N=NM-9
      GO TO 38
37    N=9
38    WRITE OUTPUT TAPE NTOUT,311
      WRITE OUTPUT TAPE NTOUT,312,(CC(I+9),I=1,N)
      DO 39 I=1,NRT
39    WRITE OUTPUT TAPE NTOUT,313,I,COMP(1),(COMP(J+10),J=1,N)
      IF(NM-18)45,45,40
40    N=NM-18
      WRITE OUTPUT TAPE NTOUT,303
      WRITE OUTPUT TAPE NTOUT,311
      WRITE OUTPUT TAPE NTOUT,312,(CC(I+18),I=1,N)
      DO 41 I=1,NRT
41    WRITE OUTPUT TAPE NTOUT,313,I,COMP(1),(COMP(J+19),J=1,N)
45    IF(NOUT(5))46,60,46
46    WRITE OUTPUT TAPE NTOUT,314
      DO 48 I=1,NM
      WRITE OUTPUT TAPE NTOUT,315,CC(I),AWT(I)
      DO 47 J=1,NG

```

```

47 WRITE OUTPUT TAPE NTOUT,316,J,EL(J),SPRM(J),ST(J,I),STR(J,I),SC(J,
  II),SF(J,I),VNU(J,I)
  WRITE OUTPUT TAPE NTOUT,317
48 WRITE OUTPUT TAPE NTOUT,318,(SIJ(II,I),II=1,NIJ)
60 IF(NOUT(4))61,80,61
61 WRITE OUTPUT TAPE NTOUT,319
  DO 63 I=1,NRT
  WRITE OUTPUT TAPE NTOUT,320,I
  DO 62 J=1,NG
62 WRITE OUTPUT TAPE NTOUT,321,J,EL(J),SPRM(J),SGMT(J,I),SGMTR(J,I),
  ISGMC(J,I),SGMB(J,I),VSGMB(J,I)
  WRITE OUTPUT TAPE NTOUT,317
63 WRITE OUTPUT TAPE NTOUT,318,(SGMIJ(II,I),II=1,NIJ)
80 WRITE TAPE 2,SGMT,SGMTR,SGMC,SGMB,VSGMB,SGMIJ,SPRM,NG,NSC,NR,NWSC,
  1NRT,NST,EL,INT,RAD,RADC,FS,FSM,ATAS,WTS,WIL,NSA,NSR,NCC,NOUT,VNUTH
  2,NTIN,NTOUT
  REWIND 2
  CALL LTAP1
  END(2,0,0,0,0)

```

```

FUNCTION FNSPM      H. K. CLARK
FUNCTION FNSRM(A)

```

COMPUTES FISSION SPECTRUM BY INTEGRATING F(E) FROM A TO INFINITY.

```

F(E)=0.45270*EXP(-E/0.965)*SINH(SQRT(2.29*E))
Y1=1.01797*SQRT(A)+.74328
Y2=Y1-1.48656
FNSPM=1.-.37953*(EXP(-Y1**2)-EXP(-Y2**2))- .5*(ERRORF(Y1)+ERRORF(
  Y2))
RETURN
END(2,0,0,0,0)

```

```

PART 2      HEETR CODE      H. K. CLARK      8211-1K
DIMENSION SGMT(20,10),SGMTR(20,10),SGMC(20,10),SGMB(20,10),VSGMB(2
  10,10),SGMIJ(230,10),SPRM(20),NR(10),INT(20,10),RAD(20,10),ABT(20,1
  20,20),FS(20,10),AA(19,10),AQ(19,10),VA(2,10),ATAS(24),WTS(24,10
  3,10),WIL(24),TPOI(19,10,20),TPOO(20,10,20),DTP(24,20),NWSC(10),ABM
  4(20),VQ(2,10),V(20,10),UFS(20,10),PFS(20,10),DFS(20,10),NOUT(5),
  5PHI(20),EL(20),IH(20),FDU(20,10),FNU(20,10),DLTA(20,10),IS(7),
  6IR(7),DA(7)

```

ABT(L,J,K)=ABSORPTIONS IN REGION I, SYMMETRY CLASS J, AND GROUP K.

ABM(I)=ABSORPTIONS IN MODERATOR IN GROUP I.

```

301 FORMAT(40H1      PRINTOUT OF AVERAGED CONSTANTS////////)
302 FORMAT(30H0      MODERATOR      CELL RADIUS=F8.4 ,13H      VOL FRACT=F7.5
  1,19H      THRML FISS SRCE=F7.5,14H      LAST ITER=F7.5)
303 FORMAT(30H0      MODERATOR      CELL RADIUS=F8.4, 13H      VOL FRACT=F7.5
  1,19H      FINAL FISS SRCE=F7.5,14H      PREV ITER=F7.5)
304 FORMAT(7H0CLASS 11,6H NO.=I2,7H      REGNI3,7H      TYPEI2,10H      RADIUS
  1=F8.4,13H      VOL FRACT=F7.5,19H      THRML FISS SRCE=F7.5,13H      LAST I
  2TER=F7.5)
305 FORMAT(7H0CLASS 11,6H NO.=I2,7H      REGNI3,7H      TYPEI2,10H      RADIUS
  1=F8.4,13H      VOL FRACT=F7.5,19H      FINAL FISS SRCE=F7.5,13H      PREV I
  2TER=F7.5)
306 FORMAT(10X7HGROUP 10I10)
307 FORMAT(12H0HGROUP      EL(MEV)      SPECTRUM      FLUX      SIGMA-T
  1 SIGMA-TR      SIGMA-C      SIGMA-F      NU*SIGMA-F      NU      )

```

```

308 FORMAT(14,1PE15.3,OPF10.5,1PE13.4,OPF10.4,F12.4,F13.5,F12.5,F13.5,
1F15.4)
309 FORMAT(104H0          SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J),
1ARRANGED AS 21, 21, 22, 31, 32, 33,...,(NG+1)(NG))
310 FORMAT(10X11F10.4)
311 FORMAT(1H0///40X41HPARAMETERS AVERAGED OVER SPACE AND ENERGY//9H S
1IGMA-T=F8.5,13H      SIGMA-TR=F8.5,14H      1/(TRMFP)=F8.5,12H      SIGM
2A-C=F9.6,12H      SIGMA-F=F9.6,7H      NU=F7.4/6X11HNU*SIGMA-F=F9.6,18
3H      SIGMA-REMOVAL=F9.6,39H      TAU (TRMFP/(3*SIGMA-(C+F+R-NU*F)))=
4F8.3/11X58HFRACTION OF SOURCE NEUTRONS ARISING FROM THERMAL FISSION
5NS=F9.6/11X34HRAATIO OF FAST TO THERMAL FISSIONS=F8.5)
312 FORMAT(41H1PRINTOUT OF DANCOFF FACTORS IN MODERATOR)
313 FORMAT(12H0          RADIUS=F7.4,29H          AXIS-TO-AXIS SEPARATION=F7.4)
314 FORMAT(5X15HDANCOFF FACTOR 10F10.5)
315 FORMAT(39H1PRINTOUT OF TRANSMISSION PROBABILITIES)
316 FORMAT(7H0CLASS 11,11H      REGION 12)
317 FORMAT(10X10HTPOI      10F10.5)
318 FORMAT(46H1PRINTOUT OF AXIS-TO-AXIS SPACINGS AND WEIGHTS)
319 FORMAT(30H0AXIS-TO-AXIS SEPARATION      8F11.4)
320 FORMAT(81HOWTS(I,J,K) ARRANGED WITHIN ROWS BY I. ROWS ADVANCE BY J
1, AND GROUPS OF ROWS BY K)
321 FORMAT(24F5.1)
322 FORMAT(5X15HDISADVNTG FCTR 10F10.5)
323 FORMAT(30H NO. IN INF. REG. LATTICE      8F11.4)
324 FORMAT(10X10HTPOO      10F10.5)
325 FORMAT(1H0//40X41HDISADVANTAGE FACTORS AND VOLUME FRACTIONS)
326 FORMAT(11X 41H0OVERALL RATIO OF U-238 TO U-235 FISSIONS=F8.5)
327 FORMAT(21X 22HSYMMETRY CLASS, REGION      15,1H,12,6(17,1H,12))
328 FORMAT(21X 22H U-238/U-235 FISSIONS 7F10.5)
      REWIND 2
      READ TAPE 2,SGMT,SGMTR,SGMC,SGMB,VSGMB,SGMIJ,SPRM,NG,NSC,NR,NWSC,
1NRT,NST,EL,INT,RAD,RADC,FS,FSM,ATAS,WTS,WIL,NSA,NSR,NCC,NOUT,VNUTH
2,NTIN,NTOUT
      REWIND 1
      IDA=0
      IF(NST-10)111,110,110
110 NST=NST-10
      IDA=1
111 CALL EFM
      CALL TRP(NST,NSC,NR,INT,NG,NSA,NSR,WTS,WIL,ATAS,RAD,RADC,SGMT,
1SGMTR,TPOO,TPOI,DTP,L)
      IF(L)2,2,1
      1 FS(L,1)=FSM
      2 SUMA=0.
      DO 31 I=1,NSC
      KK=NR(I)
      DO 31 J=1,KK
31 SUMA=SUMA+FS(J,I)*FLOATF(NWSC(I))
      IF(L)32,32,33
32 SUMA=SUMA+FSM
      FSM=FSM/SUMA
33 DO 34 I=1,NSC
      KK=NR(I)
      DO 34 J=1,KK
34 FS(J,I)=FS(J,I)/SUMA
      IF(FLOATF(NST/2)-FLOATF(NST)/2+.1)38,38,35
35 DO 36 I=1,NSC
      KK=NR(I)
      DO 36 J=1,KK

```

```

36 DFS(J,I)=FS(J,I)
   IF(L)37,37,38
37 DFSM=FSM
38 VM=0.
   DO 7 I=1,NSC
     K=NR(I)
     DO 7 J=1,K
       IF(J-1)3,3,4
3   V(1,I)=(RAD(1,I)/RADC)**2
   GO TO 5
4   V(J,I)=(RAD(J,I)**2-RAD(J-1,I)**2)/RADC**2
5   IF(L)6,6,7
6   VM=VM+V(J,I)*FLOATF(NWSC(I))
7   CONTINUE
   IF(L)8,8,9
8   VM=1.-VM
9   N=NST/4
40 CALL SOLN(L,NG,NSC,NST,NSA,NSR,NR,INT,NWSC,SGMT,SGMTR,SGMIJ,FS,FSM
   1,SPRM,DTP,TPOD,TPOI,RAD,RADC,ABT,ABM,WTS)
   DO 12 I=1,NSC
     KK=NR(I)
     DO 12 J=1,KK
       JJ=INT(J,I)
       UFS(J,I)=0.
       DO 12 K=1,NG
         IF(N)10,10,11
10    ABT(J,I,K)=ABT(J,I,K)/(SGMTR(K,JJ)*V(J,I))
       GO TO 12
11    ABT(J,I,K)=ABT(J,I,K)/(SGMT(K,JJ)*V(J,I))
12    UFS(J,I)=UFS(J,I)+VSGMB(K,JJ)*ABT(J,I,K)*V(J,I)
       IF(L)13,13,17
13    UFSM=0.
       DO 16 I=1,NG
         IF(N)14,14,15
14    ABM(I)=ABM(I)/(SGMTR(I,1)*VM)
       GO TO 16
15    ABM(I)=ABM(I)/(SGMT(I,1)*VM)
16    UFSM=UFSM+ABM(I)*VSGMB(I,1)*VM
17    IF(FLOATF(NST/2)-FLOATF(NST)/2.+1)51,51,18
18    SUMA=0.
       DO 19 I=1,NSC
         KK=NR(I)
         DO 19 J=1,KK
           PFS(J,I)=FS(J,I)-UFS(J,I)
19    SUMA=SUMA+PFS(J,I)*FLOATF(NWSC(I))
       IF(L)20,20,21
20    PFSM=FSM-UFSM
       SUMA=SUMA+PFSM
       UFSM=UFSM/SUMA
       PFSM=PFSM/SUMA
21    SUMC=0.
       DO 22 I=1,NSC
         KK=NR(I)
         DO 22 J=1,KK
           UFS(J,I)=UFS(J,I)/SUMA
           PFS(J,I)=PFS(J,I)/SUMA
22    SUMC=SUMC+ABSF(DFS(J,I)-PFS(J,I))*FLOATF(NWSC(I))
       IF(L)23,23,24
23    SUMC=SUMC+ABSF(DFSM-PFSM)

```

```

24 IF(SUMC-10.**(-NCC))60,60,25
25 SUMC=0.
   DO 41 I=1,NSC
   KK=NR(I)
   DO 41 J=1,KK
   FS(J,I)=DFS(J,I)+UFS(J,I)
41 SUMC=SUMC+FS(J,I)*FLOATF(NWSC(I))
   IF(L)42,42,43
42 FSM=DFS+UFSM
   SUMC=SUMC+FSM
   FSM=FSM/SUMC
43 DO 44 I=1,NSC
   KK=NR(I)
   DO 44 J=1,KK
44 FS(J,I)=FS(J,I)/SUMC
   GO TO 40
51 SUMA=0.
   SUMC=0.
   DO 52 I=1,NSC
   KK=NR(I)
   DO 52 J=1,KK
52 SUMA=SUMA+UFS(J,I)*FLOATF(NWSC(I))
   IF(L)53,53,54
53 SUMA=SUMA+UFSM
   UFSM=UFSM/SUMA
   SUMC=ABSF(FSM-UFSM)
54 DO 55 I=1,NSC
   KK=NR(I)
   DO 55 J=1,KK
   UFS(J,I)=UFS(J,I)/SUMA
55 SUMC=SUMC+ABSF(FS(J,I)-UFS(J,I))*FLOATF(NWSC(I))
   IF(SUMC-10.**(-NCC))60,60,56
56 DO 57 I=1,NSC
   KK=NR(I)
   DO 57 J=1,KK
57 FS(J,I)=UFS(J,I)
   IF(L)58,58,40
58 FSM=UFSM
   GO TO 40
60 DO 63 I=1,NG
   PHI(I)=0.
   DO 61 J=1,NSC
   KK=NR(J)
   DO 61 JJ=1,KK
61 PHI(I)=PHI(I)+ABT(JJ,J,I)*V(JJ,J)*FLOATF(NWSC(J))
   IF(L)62,62,63
62 PHI(I)=PHI(I)+ABM(I)*VM
63 CONTINUE
   DO 66 I=1,NG
   DO 64 J=1,NSC
   KK=NR(J)
   DO 64 JJ=1,KK
64 ABT(JJ,J,I)=ABT(JJ,J,I)/PHI(I)
   IF(L)65,65,66
65 ABM(I)=ABM(I)/PHI(I)
66 CONTINUE
   DO 69 I=1,NG
   SGMT(I,10)=0.
   SGMTR(I,10)=0.

```



```

SGMC(I,10)=0.
SGMB(I,10)=0.
VSGMB(I,10)=0.
DO 67 J=1,NSC
F=FLOATF(NWSC(J))
KK=NR(J)
DO 67 JJ=1,KK
LL=INT(JJ,J)
SGMT(I,10)=SGMT(I,10)+SGMT(I,LL)*V(JJ,J)*ABT(JJ,J,I)*F
SGMTR(I,10)=SGMTR(I,10)+SGMTR(I,LL)*V(JJ,J)*ABT(JJ,J,I)*F
SGMC(I,10)=SGMC(I,10)+SGMC(I,LL)*V(JJ,J)*ABT(JJ,J,I)*F
SGMB(I,10)=SGMB(I,10)+SGMB(I,LL)*V(JJ,J)*ABT(JJ,J,I)*F
67 VSGMB(I,10)=VSGMB(I,10)+VSGMB(I,LL)*V(JJ,J)*ABT(JJ,J,I)*F
IF(L)68,68,69
68 SGMT(I,10)=SGMT(I,10)+SGMT(I,1)*VM*ABM(I)
SGMTR(I,10)=SGMTR(I,10)+SGMTR(I,1)*VM*ABM(I)
SGMC(I,10)=SGMC(I,10)+SGMC(I,1)*VM*ABM(I)
SGMB(I,10)=SGMB(I,10)+SGMB(I,1)*VM*ABM(I)
VSGMB(I,10)=VSGMB(I,10)+VSGMB(I,1)*VM*ABM(I)
69 CONTINUE
NIJ=((NG+1)*(NG+2))/2-1
K=NG+1
DO 72 I=1,NG
LL=((I-1)*I)/2+1
DO 72 J=1,K
LL=LL+J-1
SGMIJ(LL,10)=0.
DO 70 II=1,NSC
KK=NR(II)
DO 70 JJ=1,KK
MM=INT(JJ,II)
70 SGMIJ(LL,10)=SGMIJ(LL,10)+SGMIJ(LL,MM)*V(JJ,II)*ABT(JJ,II,I)*FLOAT
IF(NWSC(II))
IF(L)71,71,72
71 SGMIJ(LL,10)=SGMIJ(LL,10)+SGMIJ(LL,1)*VM*ABM(I)
72 CONTINUE
SMP=0.
SGT=0.
SGTR=0.
SGC=0.
SGB=0.
VSGB=0.
SGIJ=0.
PH=0.
DO 73 I=1,NG
PH=PH+PHI(I)
SGT=SGT+SGMT(I,10)*PHI(I)
SGTR=SGTR+SGMTR(I,10)*PHI(I)
SGC=SGC+SGMC(I,10)*PHI(I)
SMP=SMP+PHI(I)/SGMTR(I,10)
SGB=SGB+SGMB(I,10)*PHI(I)
VSGB=VSGB+VSGMB(I,10)*PHI(I)
KK=((NG*(NG+1))/2+I
73 SGIJ=SGIJ+SGMIJ(KK,10)*PHI(I)
PH=1./PH
DO 74 I=1,NG
74 PHI(I)=PHI(I)*PH
SGT=SGT*PH
SGTR=SGTR*PH

```

```

SGC=SGC*PH
SGB=SGB*PH
VSGB=VSGB*PH
SGIJ=SGIJ*PH
SMP=1./((SMP*PH)
KK=NG/11+1
WRITE OUTPUT TAPE NTOUT,301
WRITE OUTPUT TAPE NTOUT,307
DO 75 I=1,NG
75 IH(I)=I
DO 80 I=1,NG
VV=VSGMB(I,10)/SGMB(I,10)
80 WRITE OUTPUT TAPE NTOUT,308,I,EL(I),SPRM(I),PHI(I),SGMT(I,10),
ISGMTR(I,10),SGMC(I,10),SGMB(I,10),VSGMB(I,10),VV
WRITE OUTPUT TAPE NTOUT,309
WRITE OUTPUT TAPE NTOUT,310,(SGMIJ(I,10),I=1,NIJ)
IF(FLOATF(NST/2)-FLOATF(NST)/2+.1)87,87,81
81 VV=VSGB/SGB
FTNR=(1.-SUMA)/SUMA
FTFR=FTNR*VNUTH/VV
TAU=1./(3.*SMP*(SGC+SGB+SGIJ-VSGB))
WRITE OUTPUT TAPE NTOUT,311,SGT,SGTR,SMP,SGC,SGB,VV,VSGB,SGIJ,TAU,
1SUMA,FTFR
IF(IDA)126,126,112
112 DO 113 I=1,NG
IF(SGMB(I,3))114,114,113
113 CONTINUE
114 NFG=I-1
SA=0.
SB=0.
SC=0.
DO 118 J=1,NSC
NK=NR(J)
DO 118 K=1,NK
IF(INT(K,J)-2)118,115,118
115 FDU(K,J)=0.
FNU(K,J)=0.
DO 116 I=1,NFG
116 FDU(K,J)=FDU(K,J)+SGMB(I,3)*ABT(K,J,I)*PHI(I)
FDU(K,J)=FDU(K,J)*V(K,J)*FLOATF(NWSC(J))*(1.-SUMA)/VSGB
DO 117 I=1,NG
117 FNU(K,J)=FNU(K,J)+SGMB(I,2)*ABT(K,J,I)*PHI(I)
FNU(K,J)=FNU(K,J)*V(K,J)*FLOATF(NWSC(J))*(1.-SUMA)/VSGB
X=DFS(K,J)*FLOATF(NWSC(J))*SUMA/VNUTH+FNU(K,J)-FDU(K,J)
DLTA(K,J)=FDU(K,J)/X
SA=SA+FDU(K,J)
SB=SB+FNU(K,J)
SC=SC+DFS(K,J)*FLOATF(NWSC(J))*SUMA
118 CONTINUE
DELTA=SA/(SC/VNUTH+SB-SA)
WRITE OUTPUT TAPE NTOUT,326,DELTA
IL=0
I=0
IJ=1
IK=1
119 DO 123 J=IJ,NSC
NK=NR(J)
DO 122 K=IK,NK
IF(INT(K,J)-2)122,120,122

```

```

120 I=I+1
    IF(I-7)121,124,124
121 IS(I)=J
    IR(I)=K
    DA(I)=DLTA(K,J)
122 CONTINUE
123 IK=1
    IL=1
    IF(I)126,126,124
124 WRITE OUTPUT TAPE NTOUT,327,(IS(JJ),IR(JJ),JJ=1,I)
    WRITE OUTPUT TAPE NTOUT,328,(DA(JJ),JJ=1,I)
    IF(IL)125,125,126
125 I=0
    IJ=J
    IK=K
    GO TO 119
126 IF(NOUT(1))82,93,82
    82 WRITE OUTPUT TAPE NTOUT,325
        IF(L)83,83,85
    83 WRITE OUTPUT TAPE NTOUT,302,RADC,VM,DFSM,PFSM
        DO 84 I=1,KK
            JJ=XMINOF(NG,10*I)
            K=10*(I-1)+1
            WRITE OUTPUT TAPE NTOUT,306,(IH(J),J=K,JJ)
    84 WRITE OUTPUT TAPE NTOUT,322,(ABM(J),J=K,JJ)
    85 DO 86 I=1,NSC
        LL=NR(I)
        DO 86 J=1,LL
            MM=INT(J,I)
            WRITE OUTPUT TAPE NTOUT,304,I,NWSC(I),J,MM,RAD(J,I),V(J,I),DFS(J,I),PFS(J,I)
            DO 86 JJ=1,KK
                LM=XMINOF(NG,10*JJ)
                K=10*(JJ-1)+1
                WRITE OUTPUT TAPE NTOUT,306,(IH(II),II=K,LM)
    86 WRITE OUTPUT TAPE NTOUT,322,(ABT(J,I,II),II=K,LM)
        GO TO 93
    87 IF(NOUT(1))88,93,88
    88 IF(L)89,89,91
    89 WRITE OUTPUT TAPE NTOUT,303,RADC,VM,UFSM,FSM
        DO 90 I=1,KK
            JJ=XMINOF(NG,10*I)
            K=10*(I-1)+1
            WRITE OUTPUT TAPE NTOUT,306,(IH(J),J=K,JJ)
    90 WRITE OUTPUT TAPE NTOUT,322,(ABM(J),J=K,JJ)
    91 DO 92 I=1,NSC
        LL=NR(I)
        DO 92 J=1,LL
            MM=INT(J,I)
            WRITE OUTPUT TAPE NTOUT,305,I,NWSC(I),J,MM,RAD(J,I),V(J,I),UFS(J,I),FS(J,I)
            DO 92 JJ=1,KK
                LM=XMINOF(NG,10*JJ)
                K=10*(JJ-1)+1
                WRITE OUTPUT TAPE NTOUT,306,(IH(II),II=K,LM)
    92 WRITE OUTPUT TAPE NTOUT,322,(ABT(J,I,II),II=K,LM)
    93 NATAS=NSA+NSR
        IF(NOUT(2))94,98,94
    94 IF(L)994,994,98

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```

994 WRITE OUTPUT TAPE NTOUT,318
    LM=(NSA+NSR)/9+1
    DO 96 I=1,LM
        JJ=XMINOF(NSA+NSR,8*I)
        LL=XMINOF(NSA,8*I)
        K=8*(I-1)+1
        WRITE OUTPUT TAPE NTOUT,319,(ATAS(J),J=K,JJ)
        IF(NSA-K)96,95,95
95 WRITE OUTPUT TAPE NTOUT,323,(WIL(J),J=K,LL)
96 CONTINUE
    WRITE OUTPUT TAPE NTOUT,320
    DO 97 K=1,NSC
        DO 97 J=1,NSC
97 WRITE OUTPUT TAPE NTOUT,321,(WTS(I,J,K),I=1,NATAS)
98 IF(NOUT(3))99,105,99
99 IF(L)100,100,102
100 WRITE OUTPUT TAPE NTOUT,312
    K=NR(1)
    R=RAD(K,1)
    DO 101 LL=1,NATAS
        WRITE OUTPUT TAPE NTOUT,313,R,ATAS(LL)
        DO 101 I=1,KK
            JJ=XMINOF(NG,10*I)
            K=10*(I-1)+1
            WRITE OUTPUT TAPE NTOUT,306,(IH(J),J=K,JJ)
101 WRITE OUTPUT TAPE NTOUT,314,(DTP(LL,J),J=K,JJ)
102 WRITE OUTPUT TAPE NTOUT,315
    DO 104 I=1,NSC
        K=NR(I)
        DO 104 J=1,K
            WRITE OUTPUT TAPE NTOUT,316,I,J
            DO 104 JJ=1,KK
                LL=XMINOF(NG,10*JJ)
                MM=10*(JJ-1)+1
                WRITE OUTPUT TAPE NTOUT,306,(IH(LM),LM=MM,LL)
                IF(J-1)104,104,103
103 WRITE OUTPUT TAPE NTOUT,317,(TPOI(J-1,I,LM),LM=MM,LL)
104 WRITE OUTPUT TAPE NTOUT,324,(TPOO(J,I,LM),LM=MM,LL)
105 CALL LTAP1
    END(2,0,0,0,0)
    SUBROUTINE TRP(NST,NSC,NR,INT,NG,NSA,NSR,WTS,WIL,ATAS,RAD,RADC,
1 SGMTR,TPOO,TPOI,DTP,KK)
    DIMENSION NR(10),INT(20,10),WTS(24,10,10),WIL(24),ATAS(24),RAD(20,
110),SGMT(20,10),SGMTR(20,10),TPOI(19,10,20),TPOO(20,10,20),DTP(24,
220)
    N=NST/4
    KK=NST+1
    GO TO (31,31,32,32,31,31,32,32),KK
31 KK=0
    GO TO 25
32 NR(1)=NR(1)+1
    KK=NR(1)
    RAD(KK,1)=RADC
    INT(KK,1)=1
25 DO 8 I=1,NSC
    M=NR(I)
    DO 8 J=1,M
        L=INT(J,I)
        IF(J-1)2,2,1

```

```

1 A=RAD(J-1,I)/RAD(J,I)
2 DO 8 K=1,NG
  IF(N)3,3,4
3 B=SGMTR(K,L)*RAD(J,I)
  GO TO 5
4 B=SGMT(K,L)*RAD(J,I)
5 IF(J-1)6,6,7
6 TPOQ(I,I,K)=TCYL(B)
  GO TO 8
7 TPOQ(J,I,K)=TQO(A,B)
  TPOI(J-1,I,K)=TOI(A,B)
8 CONTINUE
  IF(KK)26,26,24
26 M=NSA+NSR
  K=NR(1)
  R=RAD(K,1)

```

TO BE ABLE TO USE DANC OFF FACTOR ALL OUTERMOST RADII MUST BE EQUAL  
X=0.

```

DO 16 I=1,NSA
A=R/ATAS(I)
Y=DCFR(A,0.)*WIL(I)
X=X+Y
IF(X-1.)10,10,9
9 Y=(1.-(X-Y))/Y
10 DO 15 L=1,NG
  IF(N)11,11,12
11 B=SGMTR(L,1)*R
  GO TO 13
12 B=SGMT(L,1)*R
13 DTP(I,L)=DCFR(A,B)
  IF(X-1.)15,15,14
14 DTP(I,L)=DTP(I,L)*Y
15 CONTINUE
  IF(X-1.)16,16,17
16 CONTINUE
  GO TO 20
17 IF(I-NSA)18,20,20
18 J=I+1
  DO 19 I=J,NSA
  DO 19 L=1,NG
19 DTP(I,L)=0.
20 J=NSA+1
  IF(M-J)24,27,27
27 DO 23 I=J,M
  A=R/ATAS(I)
  DO 23 L=1,NG
  IF(N)21,21,22
21 B=SGMTR(L,1)*R
  GO TO 23
22 B=SGMT(L,1)*R
23 DTP(I,L)=DCFR(A,B)
24 RETURN
  END(2,0,1,0,0)

```

FUNCTION TCYL            H. K. CLARK

FUNCTION TCYL(B)

IF(B-5.)1,1,2

1 IF(B-.1)5,4,4

```

4  TO=B10(B)
   T1=B11(B)
   U0=BK0(B)
   U1=BK1(B)
   TCYL=1.-4.*B**2/3.*(2.*(B*(U1*T1+U0*T0)-1.)+U1*T1/B-U0*T1+U1*T0)
   GO TO 3
5  TCYL=1.-B*(2.-B*(2.6666667-B*(1.3659315-LOGF(B))))
   GO TO 3
2  TCYL=3./((16.*B**2)*(1.+5./(8.*B**2)))
3  RETURN
   END(2,0,1,0,0)

FUNCTION TOO          H. K. CLARK
FUNCTION TOO(A,B)
DIMENSION X(7),H(7)
X(1)=.98628381
X( 2)=.92843488
X( 3)=.82720132
X( 4)=.68729290
X( 5)=.51524864
X( 6)=.31911237
X( 7)=.10805495
H(1)=.035119460
H( 2)=.080158087
H( 3)=.12151857
H( 4)=.15720317
H( 5)=.18553840
H( 6)=.20519846
H( 7)=.21526385
SUM=0.
IF(B=0.1)2,2,4
2  DO 3 I=1,7
   Y=B*2.*SQRTF(1.-X(I)**2)
   Z=B*2.*SQRTF(1.-(A*X(I))**2)
3  SUM=SUM+(Y**3*(.32487747*(1.+0.024358732*Y**2)-LOGF(Y)*(1.+0.025*Y**
12)/6.))-Z**3*(.32487747*(1.+0.024358732*Z**2)-LOGF(Z)*(1.+0.025*Z**2)
2/6.)*A)*H(I)
   TOO= -1.2732395*SUM
   C=SQRTF(1.-A**2)
   TERM= A+B*(2.-1.2732395*(A*C+ATANF(A/C)))-4.*B**2*(2.-3.*A+A**3)
1/3.
   TERM=1.-TERM
   TOO=TOO+TERM
   GO TO 5
4  DO 1 I=1,7
1  SUM=SUM+BK13(2.*B*SQRTF(1.-(A*X(I))**2))*H(I)
   TOO=TCYL(B)-1.2732395*A*SUM
5  RETURN
   END(2,C,1,0,1)

FUNCTION TOI          H. K. CLARK
FUNCTION TOI(A,B)
DIMENSION X(7),H(7)
X(1)=.98628381
X( 2)=.92843488
X( 3)=.82720132
X( 4)=.68729290
X( 5)=.51524864
X( 6)=.31911237

```

```

X( 7) = .10805495
H( 1) = .035119460
H( 2) = .080158087
H( 3) = .12151857
H( 4) = .15720317
H( 5) = .18553840
H( 6) = .20519846
H( 7) = .21526385
TOI = 0.
IF (B < 0.1) 2, 2, 4
2 DO 3 I = 1, 7
  Y = B * (SQRTF(1. - (A * X(I)) ** 2) - A * SQRTF(1. - X(I) ** 2))
3 TOI = TOI + Y ** 2 * (.78539816 - .32487747 * Y * (1. + .024358732 * Y ** 2) + Y * LOGF(Y)
  1 * (1. + .025 * Y ** 2) / 6.) * H(I)
  TOI = TOI * 1.2732395
  C = SQRTF(1. - A ** 2)
  TERM = B * (.63661976 * (C * ATANF(A / C) / A) - A)
  TERM = 1. - TERM
  TOI = TOI + TERM
GO TO 5
4 DO 1 I = 1, 7
1 TOI = TOI + H(I) * BEKI3(B * (SQRTF(1. - (A * X(I)) ** 2) - A * SQRTF(1. - X(I) ** 2)))
  TOI = TOI * 1.2732395
5 RETURN
END(2, 0, 1, 0, 1)

```

FUNCTION DCFR(R, S)      H. K. CLARK      8211-1K  
 FUNCTION DCFR(R, S)

COMPUTES DANCOFF FACTOR AS FUNCTION OF R=RADIUS/(AXIS-TO-AXIS SEP-

ARATION) AND OF S=SIGMA\*RADIUS

RADF(U, V) = SQRTF(1. / R \*\* 2 - (U + V) \*\* 2)

DANF(U, V) = BEKI3(S \* (RADF(U, V) - SQRTF(1. - U \*\* 2) - SQRTF(1. - V \*\* 2))) / RADF(U, V)

```

DIMENSION A(8), H(8)
A(1) = 0.98940093
A(2) = 0.94457502
A(3) = 0.86563120
A(4) = 0.75540441
A(5) = 0.61787624
A(6) = 0.45801678
A(7) = 0.28160355
A(8) = 0.09501251
H(1) = 0.02715246
H(2) = 0.06225352
H(3) = 0.09515851
H(4) = 0.12462897
H(5) = 0.14959599
H(6) = 0.16915652
H(7) = 0.18260342
H(8) = 0.18945061
IF (S) 4, 5, 4
4 SUM = 0.
DO 3 I = 1, 8
DO 3 J = 1, I
  IF (I - J) 2, 2, 1
  IF (I - J) 2, 2, 1
1 SUM = SUM + 4. * H(I) * H(J) * (DANF(A(I), A(J)) + DANF(A(I), -A(J)))
GO TO 3

```

```

2 SUM=SUM+2.*H(J)**2*(DANF(A(J),A(J))+DANF(A(J),-A(J)))
3 CONTINUE
  DCFR=.10132118*SUM
  GO TO 8
5 B=2.*R
  E=SQRTF(1.-B**2)
  IF(E)6,6,7
6 DCFR=.18169012
  GO TO 8
7 C=ATANF(B/E)
  DCFR=.31830988*(C-SINF(.5*C)/COSF(.5*C))
8 RETURN
  END(2,0,1,0,0)

```

```

      FUNCTION BEKI3(X)                                H. K. CLARK                8211-1K
      FUNCTION BEKI3(X)
      IF(X-.1)1,2,2
1 BEKI3=.73665545/(.93793888+X*(1.1941916+X*(.58824515+X*(.57033719+
  1X*(-1.5791166+X*4.292469))))))
  GO TO 9
2 IF(X-.4)3,4,4
3 BEKI3=.57149776/(.72767871+X*(.92546909+X*(.47415208+X*(.25082036+
  1X*(-.025930075+X*.055707999))))))
  GO TO 9
4 IF(X-.1)5,6,6
5 BEKI3=.32724738/(.41667409+X*(.52956551+X*(.27542730+X*(.12837751+
  1X*(.011919149+X*.013920954))))))
  GO TO 9
6 IF(X-2.5)7,8,8
7 BEKI3=(.22159402+X*(-.093883791+X*(.014738215-X*.00085765003)))/(
  1.28267237+X*(.23563203+X*(.063402052+X*.013600324)))
  GO TO 9
8 Y=1./(X+3.25)
  BEKI3=1.2684458*SQRTF(Y)*EXPF(-X)/(1.0120742+Y*(-.000325432+Y*(
  1-1.1646323+Y*(1.3873864-Y*4.4655208))))
9 RETURN
  END(2,0,1,0,0)

```

IDIOT BIO FUNCTION

FUNCTION BIO (X)

```

      IF (X - 3.75) 2, 2, 3
2 Z = (X / 3.75)**2
  BIO = 1.0 + Z * (3.5156229 + Z * (3.0899424 + Z * (1.2067492 +
  1 Z * (0.2659732 + Z * (0.0360768 + Z * 0.0045813))))))
  GO TO 4
3 Z = 3.75 / X
  BIO = (EXPF(X) / SQRTF(X)) * (.39894228 + Z * (.013285917 + Z *
  1 (.002253187 + Z * (-.001575649 + Z * (.009162808 + Z *
  2 (-.020577063 + Z * (.026355372 + Z * (-.016476329 + Z *
  3 .003923767)))))))))
4 RETURN
  END (2,0,0,0,1)

```

IDIOT BII FUNCTION



FUNCTION B11 (X)

```

IF (X - 3.75) 2, 2, 3
2 Z = (X / 3.75)**2
  B11 = (.5 + Z * (.87890594 + Z * (.51498869 + Z * (.15084934 +
1    Z * (.02658733 + Z * (.00301532 + Z * .00032411)))))) * X
  GO TO 4
3 Z = 3.75 / X
  B11 = (EXPF(X) / SQRTF(X)) * (.39894228 + Z * (-.039880242 + Z *
1    (-.003620183 + Z * (.001638014 + Z * (-.01031555 + Z *
2    (.022829673 + Z * (-.028953121 + Z * (.017876535 - Z *
3    .004200587)))))))))
4 RETURN
  END (2,0,0,0,1)

```

IDIOT BKO FUNCTION

FUNCTION BKO (X)

```

IF (X - 2.0) 2, 2, 3
2 Z = (X / 2.0)**2
  SERIES = -.57721566 + Z * (.4227842 + Z * (.23069756 + Z *
1    (.0348859 + Z * (.00262698 + Z * (.0001075 + Z *
2    .0000074))))))
  BKO = SERIES - LOGF(X / 2.0) * B10(X)
  GO TO 4
3 Z = 2.0 / X
  BKO = (1.2533141 + Z * (-.07832358 + Z * (.02189568 + Z *
1    (-.01062446 + Z * (.00587872 + Z * (-.0025154 + Z *
2    .00053208)))))) / (SQRTF(X) * EXPF(X))
4 RETURN
  END (2,0,0,0,1)

```

IDIOT BK1 FUNCTION

FUNCTION BK1 (X)

```

IF (X - 2.0) 2, 2, 3
2 Z = (X / 2.0)**2
  SERIES = 1.0 + Z * (.15443144 + Z * (-.67278579 + Z * (-.18156897
1    + Z * (-.01919402 + Z * (-.00110404 - Z * .00004686))))))
  BK1 = SERIES / X + LOGF(X / 2.0) * B11(X)
  GO TO 4
3 Z = 2.0 / X
  BK1 = (1.2533141 + Z * (.23498619 + Z * (-.0365562 + Z *
1    (.01504268 + Z * (-.00780353 + Z * (.00325614 - Z *
2    .00068245)))))) / (SQRTF(X) * EXPF(X))
4 RETURN
  END (2,0,0,0,1)

```

SUBROUTINE SOLN H. K. CLARK  
 SUBROUTINE SOLN(L,NG,NSC,NST,NSA,NSR,NR,INT,NWSC,SGMT,SGMTR,SGMIJ,  
 IFS,FSM,SPRM,DTP,TPOO,TPOI,RAD,RADC,ABT,ABM,WTS)

```

    DIMENSION NR(10),INT(20,10),NWSC(10),SGMT(20,10),SGMTR(20,10),
    1SGMIJ(230,10),FS(20,10),SPRM(20),DTP(24,20),TPOO(20,10,20),
    2TPOI(19,10,20),RAD(20,10),ABT(20,10,20),ABM(20),AA(19,10),AQ(19,10
    3),VA(2,10),VQ(2,10),AUX(10,10),ANC(10,1),G(10,10),EQ(10),WTS(24,10
    4,10)
    DO 18 IG=1,NG
    IF(L)13,13,14
13 CALL MOD(IG,NSC,NST,NSA,NSR,NR,NWSC,SGMT,SGMTR,SGMIJ,WTS,DTP,RAD,
    1RADC,ABM,SPRM,FSM,G,EQ,HII,C,Q)
14 DO 1 ISC=1,NSC
    1 CALL JVECTR(NR,INT,IG,ISC,NST,SGMT,SGMTR,SGMIJ,SPRM,FS,TPOO,TPOI,
    1RAD,ABT,AA,AQ,VA,VQ)
    IF(L)15,15,16
15 DO 2 I=1,NSC
    DO 2 J=1,NSC
    2 AUX(I,J)=G(I,J)*VA(1,J)
    DO 3 I=1,NSC
    3 AUX(I,I)=AUX(I,I)+HII*VA(2,I)
    DO 4 I=1,NSC
    ANC(I,1)=0.
    DO 4 J=1,NSC
    4 ANC(I,1)=ANC(I,1)+G(I,J)*VQ(1,J)
    DO 5 I=1,NSC
    5 ANC(I,1)=-ANC(I,1)-HII*VQ(2,I)+EQ(I)
    IF(NSC-1)20,20,21
21 LA=XLOC(AUX(1,1))
    LB=XLOC(ANC(1,1))
    DUMMY=LEQF(LA,LB,NSC,1,10,10)
    GO TO 10
20 ANC(1,1)=ANC(1,1)/AUX(1,1)
    GO TO 10
16 ANC(1,1)=(VQ(2,1)-VQ(1,1))/(VA(1,1)-VA(2,1))
10 DO 7 I=1,NSC
    K=NR(I)-1
    ABT(1,I,IG)=ANC(I,1)
    IF(K)7,7,6
    6 DO 9 J=1,K
    9 ABT(J+1,I,IG)=AA(J,I)*ANC(I,1)+AQ(J,I)
    7 CONTINUE
    IF(L)17,17,18
17 ABM(IG)=Q
    DO 8 I=1,NSC
    8 ABM(IG)=ABM(IG)+FLOATF(NWSC(I))*(ANC(I,1)*(VA(1,I)-VA(2,I))+VQ(1,I
    1)-VQ(2,I))
    ABM(IG)=ABM(IG)/(1.-C)
18 CONTINUE
    RETURN
    END(2,0,1,0,1)
    SUBROUTINE MOD(IG,NSC,NST,NSA,NSR,NR,NWSC,SGMT,SGMTR,SGMIJ,WTS,DTP
    1,RAD,RADC,ABM,SPRM,FSM,G,EQ,HII,C,Q)
    DIMENSION H(10),TS(10,10),SPRM(20)
    DIMENSION NR(10),RAD(20,10),SGMT(20,10),SGMTR(20,10),SGMIJ(230,10)
    1,ABM(20),NWSC(10),WTS(24,10,10),DTP(24,20), G(10,10),EQ(10)
    M=(IG*(IG+1))/2
    K=NR(1)
    R=RAD(K,1)
    SUM=0.
    DO 1 I=1,NSC
    1 SUM=SUM+FLOATF(NWSC(I))

```

```

V=RADC**2-SUM*R**2
N=NST/4
IF(N)2,2,3
2 C=(SGMTR(IG,1)-SGMT(IG,1)+SGMIJ(M,1))/SGMTR(IG,1)
B=SGMTR(IG,1)*R
GO TO 4
3 C=SGMIJ(M,1)/SGMT(IG,1)
B=SGMT(IG,1)*R
4 EF=.5*R**2/(B*V)
L=NSA+NSR
DO 6 I=1,NSC
DO 6 J=1,NSC
TS(I,J)=0.
DO 6 K=1,L
IF(WTS(K,I,J))6,6,5
5 TS(I,J)=TS(I,J)+WTS(K,I,J)*DTP(K,IG)
6 CONTINUE
SUM=0.
DO 8 I=1,NSC
H(I)=0.
DO 7 J=1,NSC
7 H(I)=H(I)+TS(I,J)
8 SUM=SUM+FLOATF(NWSC(I))*EF*(1.-H(I))
EE=1.-C*(1.-SUM)
HII=EE
DO 10 I=1,NSC
10 G(I,1)=-(EE*TS(I,1)+C*FLOATF(NWSC(I))*EF*(1.-H(I))**2)
DO 12 I=1,NSC
DO 12 J=1,NSC
IF(I-J)11,12,11
11 G(I,J)=-(EE*TS(I,J)+C*FLOATF(NWSC(J))*EF*(1.-H(I))*(1.-H(J)))
12 CONTINUE
Q=SPRM(IG)*FSM
K=IG-1
IF(K)17,17,13
13 DO 16 I=1,K
M=(IG*(IG+1))/2-K-1+I
IF(N)14,14,15
14 Q=Q+ABM(I)*SGMIJ(M,1)/SGMTR(I,1)
GO TO 16
15 Q=Q+ABM(I)*SGMIJ(M,1)/SGMT(I,1)
16 CONTINUE
17 DO 18 I=1,NSC
18 EQ(I)=Q*EF*(1.-H(I))
RETURN
END(2,0,1,0,0)

```

SUBROUTINE JVECTR H. K. CLARK  
SUBROUTINE JVECTR(NR,INT,IG,ISC,NST,SGMT,SGMTR,SGMIJ,SPRM,FS,TPOO,  
1TPOI,RAD,ABT,AA,AQ,VA,VQ)

IG=GROUP INDEX, ISC=SYMMETRY CLASS INDEX,JVECTR=VA\*ABSORPTION IN  
REGION 1 + VQ. ABSORPTION IN REGION 1=AA\*ABSORPTION IN REGION 1+AQ  
DIMENSION TPOO(20,10,20),TPOI(19,10,20),NR(10),INT(20,10),AA(19,10  
1),AQ(19,10),AUX(2),SGMT(20,10),SGMTR(20,10),SGMIJ(230,10),SPRM(20  
2,ABT(20,10,20),VA(2,10),DMX(2,2),SIMX(2,2),FS(20,10),RAD(20,10)  
3,VQ(2,10)  
M=(IG\*(IG+1))/2

```

N=NST/4
L=INT(1,ISC)
IF(N)2,2,3
2 C=(SGMTR(IG,L)-SGMT(IG,L)+SGMIJ(M,L))/SGMTR(IG,L)
B=RAD(1,ISC)*SGMTR(IG,L)
GO TO 4
3 C=SGMIJ(M,L)/SGMT(IG,L)
B=RAD(1,ISC)*SGMT(IG,L)
4 X=TPOO(1,ISC,IG)
E=(1.-X)/(2.*B)
VA(1,ISC)=((1.-C)*X+C*E)/(1.-X)
VA(2,ISC)=(1.-C+C*E)/(1.-X)
Q=SPRM(IG)*FS(1,ISC)
K=IG-1
IF(K)9,9,5
5 DO 8 I=1,K
M=(IG*(IG+1))/2-K-1+I
IF(N)6,6,7
6 Q=Q+ABT(1,ISC,I)*SGMIJ(M,L)/SGMTR(I,L)
GO TO 8
7 Q=Q+ABT(1,ISC,I)*SGMIJ(M,L)/SGMT(I,L)
8 CONTINUE
9 VQ(1,ISC)=(E-X)*Q/(1.-X)
VQ(2,ISC)=(E-1.)*Q/(1.-X)
MM=NR(ISC)-1
IF(MM)26,26,1
1 DO 25 I=1,MM
CALL MATS(INT,I+1,ISC,IG,NST,SGMT,SGMTR,SGMIJ,TPOO,TPOI,RAD,DMX,
1SIMX,E0,EI,C)
L=INT(I+1,ISC)
10 AA(I,ISC)=(VA(1,ISC)-VA(2,ISC))/(1.-C)
AQ(I,ISC)=(VQ(1,ISC)-VQ(2,ISC))/(1.-C)
Q=SPRM(IG)*FS(I+1,ISC)
IF(K)15,15,11
11 DO 14 J=1,K
M=(IG*(IG+1))/2-K-1+J
IF(N)12,12,13
12 Q=Q+ABT(I+1,ISC,J)*SGMIJ(M,L)/SGMTR(J,L)
GO TO 14
13 Q=Q+ABT(I+1,ISC,J)*SGMIJ(M,L)/SGMT(J,L)
14 CONTINUE
15 DO 16 J=1,2
AUX(J)=0.
DO 16 JJ=1,2
16 AUX(J)=AUX(J)+DMX(J,JJ)*VQ(JJ,ISC)
AUX(1)=AUX(1)+Q*E0
AUX(2)=AUX(2)+Q*EI
DO 17 J=1,2
VQ(J,ISC)=0.
DO 17 JJ=1,2
17 VQ(J,ISC)=VQ(J,ISC)+SIMX(J,JJ)*AUX(JJ)
DO 18 J=1,2
AUX(J)=0.
DO 18 JJ=1,2
18 AUX(J)=AUX(J)+DMX(J,JJ)*VA(JJ,ISC)
DO 19 J=1,2
VA(J,ISC)=0.
DO 19 JJ=1,2
19 VA(J,ISC)=VA(J,ISC)+SIMX(J,JJ)*AUX(JJ)

```

```

AA(I,ISC)=AA(I,ISC)+(VA(2,ISC)-VA(1,ISC))/(1.-C)
AQ(I,ISC)=AQ(I,ISC)+(VQ(2,ISC)-VQ(1,ISC)+Q)/(1.-C)
25 CONTINUE
26 RETURN
   END(2,0,1,0,0)

SUBROUTINE MATS      H. K. CLARK
SUBROUTINE MATS(INT,I,J,K,NST,SGMT,SGMTR,SGMIJ,TPOO,TPOI,RAD,DMX,
1SIMX,EO,EI,C)

   I,J,K ARE REGION, SYMMETRY CLASS AND GROUP INDICES. DMX IS RIGHT
   MATRIX. SIMX IS INVERSE OF LEFT MATRIX
   DIMENSION SGMT(20,10),SGMTR(20,10),SGMIJ(230,10),TPOO(20,10,20),
1TPOI(19,10,20),INT(20,10),DMX(2,2),SIMX(2,2),RAD(20,10)
   M=(K*(K+1))/2
   N=NST/4
   L=INT(I,J)
   A=RAD(I-1,J)/RAD(I,J)
1 IF(N)2,2,3
2 C=(SGMTR(K,L)-SGMT(K,L)+SGMIJ(M,L))/SGMTR(K,L)
   B=RAD(I,J)*SGMTR(K,L)
   GO TO 4
3 C=SGMIJ(M,L)/SGMT(K,L)
   B=RAD(I,J)*SGMT(K,L)
4 X=TPOI(I-1,J,K)
   Y=TPOO(I,J,K)
   DEN=2.*B*(1.-A**2)
   G=A*X+Y
   EO=(1.-G)/DEN
   EI=(1.-X)*A/DEN
   DMX(1,1)=X*(1.-C*(1.-EI))+C*EO
   DMX(1,2)=0.
   DMX(2,1)=C*EI*(1.-X)
   DMX(2,2)=-(1.-C*(1.-EO-EI))
   SIMX(1,1)=-1./DMX(2,2)
   SIMX(2,2)=-1./(A*X*(1.-C*(1.-EO))+C*EI*(1.-Y))
   SIMX(1,2)=(Y*(1.-C*(1.-EI))+C*EO*(1.-A*X))*SIMX(1,1)*SIMX(2,2)
   SIMX(2,1)=0.
21 RETURN
   END(2,C,1,0,0)

```

# APPENDIX B - SAMPLE PRINTOUT

HEETR CODE

COMPUTES EVENTS IN CYLINDRICAL CELLS FROM ESCAPE AND TRANSMISSION PROBABILITIES

PROBLEM NUMBER 27

SOURCE SUPPLIED FOR EACH REGION IS RELATIVE NUMBER OF NEUTRONS PRODUCED BY FISSIONS OCCURRING IN GROUP NG+1.

TRANSMISSION AND ESCAPE PROBABILITIES ARE COMPUTED FROM TRANSPORT CROSS SECTIONS.

DANCOFF FACTORS ARE EMPLOYED FOR INTERACTION BETWEEN ELEMENTS IMMersed IN MODERATOR.

TYPE NO.	DENSITY(G/GC)	D2C	H2C	U-235	U-238	WEIGHT FRACTION OF AL
1	1.10420	0.997600	0.002400	-0.	-0.	-0.
2	18.90000	-0.	-0.	0.007100	0.992900	-0.
3	18.90000	-0.	-0.	-0.	0.992900	-0.
4	0.00050	1.000000	-0.	-0.	-0.	-0.
5	2.70000	-0.	-0.	-0.	-0.	1.000000

PRINTOUT OF LIBRARY TAPE AND FISSION SPECTRUM

GROUP	EL(MEV)	FISSION SOURCE	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NU	D20	20.000
1	3.6788E-00	C.13138	5.097E-00	3.114E-00	9.707E-02	0.	0.	0.	0.
2	2.2313E-00	C.21028	6.103E-00	4.365E-00	0.	0.	0.	0.	0.
3	1.3534E-00	C.23119	7.650E-00	6.155E-00	0.	0.	0.	0.	0.
4	8.2085E-01	C.18035	9.679E-00	8.347E-00	0.	0.	0.	0.	0.
5	4.9787E-01	C.11474	9.542E-00	7.463E-00	0.	0.	0.	0.	0.
6	3.0197E-01	C.06474	1.266E-01	1.041E-01	0.	0.	0.	0.	0.
7	1.8316E-01	C.03401	1.027E-01	8.635E-00	0.	0.	0.	0.	0.
8	1.1109E-01	C.01713	1.037E-01	8.298E-00	0.	0.	0.	0.	0.
9	6.7379E-02	C.00841	1.050E-01	8.127E-00	-0.	0.	0.	0.	0.
10	4.0868E-02	C.00407	1.050E-01	8.079E-00	-0.	0.	0.	0.	0.
11	2.4788E-02	C.00195	1.050E-01	8.079E-00	-0.	0.	0.	0.	0.
12	1.5034E-02	C.00093	1.050E-01	8.079E-00	-0.	0.	0.	0.	0.
13	9.1188E-03	C.00044	1.050E-01	8.079E-00	-0.	0.	0.	0.	0.
14	5.5308E-03	C.00021	1.050E-01	8.079E-00	-0.	0.	0.	0.	0.
15	2.0347E-03	C.00015	1.050E-01	8.079E-00	-0.	0.	0.	0.	0.

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,..., (NG+1) (NG)

2.3782	1.5405	2.6009	0.3754	1.5172	2.9160	0.3979	0.7316	2.0075	3.8013	0.3431
0.6816	1.1375	2.6072	3.6158	0.0400	0.3206	0.9477	1.4056	2.6340	5.8465	0.
0.0513	0.5902	1.1288	1.5877	3.6372	3.9955	0.	0.	0.0508	0.6266	1.1089
1.6003	3.3041	4.1688	0.	0.	0.	0.0500	0.0586	1.0276	1.5494	3.2969
4.4063	0.	0.	0.	0.	0.0372	0.5118	0.9413	1.5026	3.2608	4.4405
0.	0.	0.	0.	0.	0.0413	0.4500	0.9138	1.4508	3.2577	4.4463
0.	0.	0.	0.	0.	0.	0.0319	0.4502	0.8817	1.4369	3.2534
4.4436	0.	0.	0.	0.	0.	0.	0.	0.0346	0.4600	0.8715
1.4363	3.2554	4.4432	0.	0.	0.	0.	0.	0.	0.	0.
0.0355	0.4580	0.8711	1.4365	3.2557	4.4437	0.	0.	0.	0.	0.
0.	0.	0.	0.	0.0354	0.4929	1.3291	2.3080	4.6919	6.0714	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.	0.0353
0.4932	1.3644	4.4286	0.	0.	0.	0.	0.	0.	0.	0.

GROUP	EL(MEV)	FISSION SOURCE	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NU	H2O	18.000
1	3.6788E-00	C.13138	4.960E-00	2.094E-00	9.971E-02	0.	0.	0.	0.
2	2.2313E-00	C.21028	6.319E-00	2.739E-00	0.	0.	0.	0.	0.
3	1.3534E-00	C.23119	8.633E-00	4.083E-00	0.	0.	0.	0.	0.
4	8.2085E-01	C.18035	1.208E-01	6.215E-00	1.200E-04	0.	0.	0.	0.
5	4.9787E-01	C.11474	1.401E-01	6.022E-00	2.000E-04	0.	0.	0.	0.
6	3.0197E-01	C.06474	2.067E-01	1.049E-01	2.000E-04	0.	0.	0.	0.
7	1.8316E-01	C.03401	2.140E-01	9.853E-00	2.000E-04	0.	0.	0.	0.
8	1.1109E-01	C.01713	2.566E-01	1.098E-01	2.200E-04	0.	0.	0.	0.
9	6.7379E-02	C.00841	3.004E-01	1.233E-01	4.000E-04	0.	0.	0.	0.
10	4.0868E-02	C.00407	3.410E-01	1.367E-01	4.400E-04	0.	0.	0.	0.
11	2.4788E-02	C.00195	3.725E-01	1.472E-01	6.000E-04	0.	0.	0.	0.
12	1.5034E-02	C.00093	3.959E-01	1.551E-01	7.600E-04	0.	0.	0.	0.
13	9.1188E-03	C.00044	4.122E-01	1.605E-01	9.300E-04	0.	0.	0.	0.
14	5.5308E-03	C.00021	4.243E-01	1.646E-01	1.260E-03	0.	0.	0.	0.
15	2.0347E-03	C.00015	4.340E-01	1.678E-01	1.830E-03	0.	0.	0.	0.

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,..., (NG+1) (NG)

1.8909	1.4157	2.2525	0.6195	1.7234	3.0428	0.3651	0.9221	2.5515	4.6603	0.2221
0.5593	1.1957	3.4595	4.9939	0.1347	0.3392	0.7252	1.5591	3.9141	8.2726	0.0817
0.2057	0.4399	0.9456	2.0075	5.6190	6.6202	0.0496	0.1248	0.2668	0.5736	1.2176
2.6672	6.3485	7.5414	0.0301	0.0757	0.1618	0.3479	0.7385	1.6177	3.3183	7.6431
8.4748	0.0182	0.0459	0.0991	0.2110	0.4479	0.9812	2.0127	4.1228	8.9939	9.3304
0.0111	0.0278	0.0595	0.1280	0.2717	0.5951	1.2207	2.5006	4.9444	10.2640	9.9872
0.0067	0.0169	0.0361	0.0776	0.1648	0.3610	0.7404	1.5167	2.9989	5.7086	11.2493
10.4788	0.0041	0.0102	0.0219	0.0471	0.0999	0.2189	0.4491	0.9199	1.8189	3.4624
6.2991	11.9823	10.8204	0.0025	0.0062	0.0133	0.0286	0.0606	0.1328	0.2724	0.5580
1.1032	2.1001	3.8206	6.7392	12.4902	11.0754	0.0024	0.0060	0.0129	0.0278	0.0591
0.1294	0.2654	0.5437	1.0750	2.0463	3.7228	6.5667	11.3175	20.1432	17.8602	0.0014
0.0035	0.0075	0.0162	0.0344	0.0753	0.1545	0.3164	0.6256	1.1909	2.1666	3.8217
6.5865	11.2109	25.5334	0.	0.	0.	0.	0.	0.	0.	0.

GROUP	EL(MEV)	FISSION SOURCE	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NU	U-235	235.000
1	3.6788E 00	C.13138	3.880E 00	3.880E 00	2.000E-02	1.210E 00	3.090		
2	2.2313E 00	C.21028	4.730E 00	4.730E 00	3.500E-02	1.290E 00	2.790		
3	1.3534E 00	C.23119	4.860E 00	4.860E 00	5.800E-02	1.310E 00	2.620		
4	8.2085E-01	C.18035	5.080E 00	5.080E 00	1.150E-01	1.270E 00	2.530		
5	4.9787E-01	C.11474	5.580E 00	5.580E 00	1.930E-01	1.220E 00	2.520		
6	3.0197E-01	C.06474	6.810E 00	6.810E 00	2.400E-01	1.290E 00	2.480		
7	1.8316E-01	C.03401	8.540E 00	8.540E 00	2.960E-01	1.420E 00	2.450		
8	1.1109E-01	C.01713	1.010E 01	1.010E 01	3.700E-01	1.620E 00	2.440		
9	6.7379E-02	C.00841	1.150E 01	1.150E 01	4.830E-01	1.860E 00	2.430		
10	4.0868E-02	C.00407	1.260E 01	1.260E 01	6.240E-01	2.150E 00	2.430		
11	2.4788E-02	C.00195	1.360E 01	1.360E 01	8.030E-01	2.510E 00	2.420		
12	1.5034E-02	C.00093	1.430E 01	1.430E 01	1.003E 00	2.950E 00	2.420		
13	9.1188E-03	C.00044	1.510E 01	1.510E 01	1.249E 00	3.490E 00	2.420		
14	5.5308E-03	C.00021	1.870E 01	1.870E 01	1.689E 00	4.330E 00	2.420		
15	2.0347E-03	C.00015	2.230E 01	2.230E 01	2.092E 00	4.980E 00	2.420		

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,...,(NG+1)(NG)									
0.6610	C.1100	1.4540	0.3370	C.2010	1.8570	0.5070	0.4210	0.3430	2.4090
0.5200	C.6110	0.4370	3.3960	C.3010	0.4050	0.2290	0.4350	4.7720	0.2590
0.2300	C.1860	0.2110	0.1190	C.4060	6.4010	0.	0.1740	0.0800	0.2140
0.0730	C.3250	7.7140	0.	0.	0.1860	0.1320	0.0590	0.0220	0.0610
8.8570	0.	0.	0.	0.	0.0530	0.0070	0.0200	0.0380	0.2460
0.	0.	0.	0.	0.	0.	0.0160	0.0330	0.0400	0.1680
0.	0.	0.	0.	0.	0.	0.0010	0.0090	0.0100	0.0210
10.2130	0.	0.	0.	0.	0.	0.	0.0040	0.0040	0.0070
0.	C.1340	10.2300	0.	0.	0.	0.	0.	0.	0.
0.	0.	0.	0.	C.1310	12.5180	0.	0.	0.	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.1630	15.1600
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.
0.	0.	0.0680	0.	0.	0.	0.	0.	0.	0.

GROUP	EL(MEV)	FISSION SOURCE	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NU	U-238	238.000
1	3.6788E 00	C.13138	3.900E 00	3.900E 00	10.000E-03	6.090E-01	3.100		
2	2.2313E 00	C.21028	4.630E 00	4.630E 00	2.200E-02	5.810E-01	2.780		
3	1.3534E 00	C.23119	4.870E 00	4.870E 00	5.700E-02	4.300E-01	2.600		
4	8.2085E-01	C.18035	5.010E 00	5.010E 00	1.290E-01	2.400E-02	2.560		
5	4.9787E-01	C.11474	5.590E 00	5.590E 00	1.390E-01	0.	0.		
6	3.0197E-01	C.06474	6.880E 00	6.880E 00	1.270E-01	0.	0.		
7	1.8316E-01	C.03401	8.480E 00	8.480E 00	1.610E-01	0.	0.		
8	1.1109E-01	C.01713	1.010E 01	1.010E 01	2.270E-01	0.	0.		
9	6.7379E-02	C.00841	1.150E 01	1.150E 01	2.900E-01	0.	0.		
10	4.0868E-02	C.00407	1.250E 01	1.250E 01	3.700E-01	0.	0.		
11	2.4788E-02	C.00195	1.360E 01	1.360E 01	4.500E-01	0.	0.		
12	1.5034E-02	C.00093	1.430E 01	1.430E 01	5.200E-01	0.	0.		
13	9.1188E-03	C.00044	1.500E 01	1.500E 01	6.020E-01	0.	0.		
14	5.5308E-03	C.00021	1.510E 01	1.510E 01	6.600E-01	0.	0.		
15	2.0347E-03	C.00015	1.600E 01	1.600E 01	9.300E-01	0.	0.		

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,...,(NG+1)(NG)									
0.7740	C.1350	1.4830	0.4250	C.2570	2.4760	0.6460	0.5510	0.7390	0.6000
0.6780	C.8650	0.5950	4.9210	C.3800	0.5300	0.2100	0.2720	0.5300	0.3270
0.3010	C.0280	0.0890	0.	C.5380	7.7190	0.	0.2270	0.0650	0.0080
0.	C.6000	9.2990	0.	0.	0.	0.	0.	0.	0.3750
10.6700	0.	0.	0.	0.	0.	0.	0.	0.1990	0.4320
0.	0.	0.	0.	0.	0.	0.	0.	0.0640	0.1510
0.	0.	0.	0.	0.	0.	0.	0.	0.0440	0.0760
13.6140	0.	0.	0.	0.	0.	0.	0.	0.	0.0290
0.	C.1660	14.2240	0.	0.	0.	0.	0.	0.	0.
0.	0.	0.	0.	C.1740	14.2660	0.	0.	0.	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.1740	15.0070
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.
0.	0.	0.0630	0.	0.	0.	0.	0.	0.	0.

GROUP	EL(MEV)	FISSION SOURCE	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NU	AL	27.000
1	3.6788E 00	C.13138	1.370E 00	1.370E 00	2.630E-02	0.	0.		
2	2.2313E 00	C.21028	1.600E 00	1.600E 00	3.000E-04	0.	0.		
3	1.3534E 00	C.23119	2.000E 00	2.000E 00	4.000E-04	0.	0.		
4	8.2085E-01	C.18035	2.480E 00	2.480E 00	4.000E-04	0.	0.		
5	4.9787E-01	C.11474	2.970E 00	2.970E 00	7.000E-04	0.	0.		
6	3.0197E-01	C.06474	3.170E 00	3.170E 00	1.100E-03	0.	0.		
7	1.8316E-01	C.03401	3.820E 00	3.820E 00	1.700E-03	0.	0.		
8	1.1109E-01	C.01713	5.020E 00	5.020E 00	2.300E-03	0.	0.		
9	6.7379E-02	C.00841	5.980E 00	5.980E 00	3.000E-03	0.	0.		
10	4.0868E-02	C.00407	2.780E 00	2.780E 00	0.	0.	0.		
11	2.4788E-02	C.00195	6.340E 00	6.340E 00	3.900E-03	0.	0.		
12	1.5034E-02	C.00093	7.500E-01	7.500E-01	0.	0.	0.		
13	9.1188E-03	C.00044	1.130E 00	1.130E 00	0.	0.	0.		
14	5.5308E-03	C.00021	1.510E 00	1.510E 00	9.230E-02	0.	0.		
15	2.0347E-03	C.00015	1.370E 00	1.370E 00	0.	0.	0.		

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,...,(NG+1)(NG)									
0.6917	C.03050	1.0627	0.1590	C.3600	1.5696	0.0950	0.0830	0.3310	2.0916
0.0710	C.0780	0.3460	2.5653	C.0300	0.	0.0210	0.0260	0.4040	0.0120
0.0230	0.	0.0100	0.	C.4200	3.3343	0.	0.	0.	0.0040
0.	C.4840	4.3857	0.	0.	0.	0.0020	0.	0.	0.6320
5.2870	0.	0.	0.	0.	0.	0.	0.	0.	0.6900
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.3080
0.6690	0.	0.	0.	0.	0.	0.	0.	0.	0.7210
0.	C.0810	1.0090	0.	0.	0.	0.	0.	0.	0.
0.	0.	0.	0.	C.1210	1.2567	0.	0.	0.	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.1610	1.3193
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.
0.	0.	0.0507	0.	0.	0.	0.	0.	0.	0.

PRINTOUT OF MACROSCOPIC CROSS SECTIONS AND FISSION SPECTRUM FOR EACH TYPE

GROUP	EL(MEV)	FISSION SOURCE	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NUSIGMA-F	TYPE NUMBER 1
1	3.6788E-00	C.13138	0.1695390	0.1034813	0.0032290	0.	0.	
2	2.2313E-00	C.21028	0.2030216	0.1450275	0.	0.	0.	
3	1.3534E-00	C.23119	0.2545317	0.2045512	0.	0.	0.	
4	8.2085E-01	C.18035	0.3221688	0.2774413	0.0000000	0.	0.	
5	4.9787E-01	C.11474	0.3177891	0.2480908	0.0000000	0.	0.	
6	3.0197E-01	C.06474	0.4219599	0.3462830	0.0000000	0.	0.	
7	1.8316E-01	C.03401	0.3426852	0.2873188	0.0000000	0.	0.	
8	1.1109E-01	C.01713	0.3461799	0.2762562	0.0000000	0.	0.	
9	6.7379E-02	C.00841	0.3508175	0.2707080	0.0000000	0.	0.	
10	4.0668E-02	C.00407	0.3513424	0.2692241	0.0000000	0.	0.	
11	2.4788E-02	C.00195	0.3516211	0.2693173	0.0000001	0.	0.	
12	1.5034E-02	C.00093	0.3518289	0.2693868	0.0000001	0.	0.	
13	9.1188E-03	C.00044	0.3519731	0.2694350	0.0000001	0.	0.	
14	5.5308E-03	C.00021	0.3520809	0.2694710	0.0000001	0.	0.	
15	2.0347E-03	C.00015	0.3521671	0.2694998	0.0000002	0.	0.	

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,...(NG+1)(NG)

C.0791	C.0512	0.0865	0.0125	C.0505	0.0970	0.0132	0.0244	0.0668	0.1265	0.0114
0.0227	C.0378	0.0868	0.1204	C.0013	0.0173	0.0315	0.0488	0.0877	0.1947	0.0000
0.0017	C.0196	C.0375	0.0528	C.1212	0.1331	0.0000	0.0000	0.0017	0.0208	0.0369
0.0533	C.1102	C.1390	0.0000	0.0000	0.0000	0.0017	0.0186	0.0342	0.0517	0.1100
0.1469	0.0000	0.0000	0.0000	0.0000	0.0013	0.0171	0.0314	0.0502	0.1090	0.1481
0.0000	0.0000	0.0000	0.0000	0.0000	0.0014	0.0151	0.0305	0.0486	0.1090	0.1484
0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	0.0011	0.0151	0.0295	0.0482	0.1089
C.1483	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	0.0012	0.0154	0.0292
C.0482	C.1091	0.1484	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000
0.0013	C.0154	0.0292	0.0483	C.1091	0.1484	0.0000	0.0000	0.0000	0.0000	0.0000
0.0000	0.0000	0.0000	0.0001	C.0014	0.0167	0.0447	0.0776	0.1574	0.2030	0.0000
0.0000	0.0000	0.0000	0.0000	C.0000	0.0000	0.0000	0.0001	0.0001	0.0002	0.0015
C.0169	C.0463	0.1492								

GROUP	EL(MEV)	FISSION SOURCE	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NUSIGMA-F	TYPE NUMBER 2
1	3.6788E-00	C.13138	0.1865459	0.1865459	0.0004818	0.0293376	0.0909425	
2	2.2313E-00	C.21028	0.2215060	0.2215060	0.0010568	0.0280354	0.0779420	
3	1.3534E-00	C.23119	0.2329483	0.2329483	0.0027269	0.0208713	0.0542744	
4	8.2085E-01	C.18035	0.2396726	0.2396726	0.0061658	0.0015765	0.0040229	
5	4.9787E-01	C.11474	0.2673888	0.2673888	0.0066675	0.0004196	0.0010574	
6	3.0197E-01	C.06474	0.3290741	0.3290741	0.0061138	0.0004437	0.0011003	
7	1.8316E-01	C.03401	0.4056533	0.4056533	0.0077477	0.0004804	0.0011965	
8	1.1109E-01	C.01713	0.4831238	0.4831238	0.0109075	0.0005572	0.0013595	
9	6.7379E-02	C.00841	0.5500915	0.5500915	0.0139382	0.0006397	0.0015545	
10	4.0668E-02	C.00407	0.5979599	0.5979599	0.0177860	0.0007394	0.0017968	
11	2.4788E-02	C.00195	0.6505429	0.6505429	0.0216467	0.0008633	0.0020891	
12	1.5034E-02	C.00093	0.6840268	0.6840268	0.0250398	0.0010146	0.0024553	
13	9.1188E-03	C.00044	0.7175450	0.7175450	0.0290186	0.0012003	0.0029047	
14	5.5308E-03	C.00021	0.7235321	0.7235321	0.0319244	0.0014892	0.0036039	
15	2.0347E-03	C.00015	0.7675114	0.7675114	0.0448023	0.0017127	0.0041449	

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,...(NG+1)(NG)

0.0370	C.0064	0.0709	0.0203	C.0123	0.1182	0.0306	0.0263	0.0352	0.1857	0.0287
0.0324	C.0413	0.0284	0.2349	C.0101	0.0253	0.0101	0.0130	0.0253	0.2968	0.0156
0.0144	C.0014	0.0043	0.0000	C.0257	0.3688	0.	0.0108	0.0031	0.0005	0.0000
0.0000	C.0286	C.4443	0.	0.	0.0001	0.0000	0.0000	0.0000	0.0000	0.0179
C.5098	C.	C.	C.	C.	0.0000	0.0000	0.0000	0.0095	0.0206	0.5672
C.	C.	C.	C.	C.	0.	0.0000	0.0000	0.0031	0.0072	0.6200
0.	C.	C.	C.	C.	0.	0.0000	0.0000	0.0021	0.0036	0.0081
0.6500	C.	C.	C.	C.	0.	0.	0.	0.0000	0.0000	0.0014
0.	C.0079	0.6790	0.	C.	0.	0.	0.	0.	0.	0.
0.	C.	C.	C.	C.0083	0.6818	0.	0.	0.	0.	0.
0.	C.	C.	C.	C.	0.	0.	0.	0.0083	0.7179	0.
0.	C.	C.	C.	C.	0.	0.	0.	0.	0.	0.
0.	C.	0.0030								

GROUP	EL(MEV)	FISSION SOURCE	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NUSIGMA-F	TYPE NUMBER 3
1	3.6788E-00	C.13138	0.1852114	0.1852114	0.0004749	0.0289215	0.0896566	
2	2.2313E-00	C.21028	0.2198792	0.2198792	0.0010448	0.0275917	0.0767051	
3	1.3534E-00	C.23119	0.2312768	0.2312768	0.0027069	0.0204207	0.0530739	
4	8.2085E-01	C.18035	0.2379255	0.2379255	0.0061262	0.0011396	0.0029170	
5	4.9787E-01	C.11474	0.2654697	0.2654697	0.0066011	0.	0.	
6	3.0197E-01	C.06474	0.3267320	0.3267320	0.0060312	0.	0.	
7	1.8316E-01	C.03401	0.4027162	0.4027162	0.0076459	0.	0.	
8	1.1109E-01	C.01713	0.4796501	0.4796501	0.0107803	0.	0.	
9	6.7379E-02	C.00841	0.5461363	0.5461363	0.0137721	0.	0.	
10	4.0668E-02	C.00407	0.5936264	0.5936264	0.0175713	0.	0.	
11	2.4788E-02	C.00195	0.6458655	0.6458655	0.0213705	0.	0.	
12	1.5034E-02	C.00093	0.6791086	0.6791086	0.0246949	0.	0.	
13	9.1188E-03	C.00044	0.7123517	0.7123517	0.0285890	0.	0.	
14	5.5308E-03	C.00021	0.7171007	0.7171007	0.0313435	0.	0.	
15	2.0347E-03	C.00015	0.7598418	0.7598418	0.0441658	0.	0.	

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,...(NG+1)(NG)

0.0368	C.0064	0.0704	0.0202	C.0122	0.1176	0.0304	0.0262	0.0351	0.1849	0.0285
0.0322	C.0411	0.0283	0.2337	C.0180	0.0252	0.0100	0.0129	0.0252	0.2952	0.0155
0.0143	C.0013	0.0042	0.	C.0255	0.3666	0.	0.0108	0.0031	0.0004	0.
0.	C.0285	0.4416	0.	C.	0.	0.	0.	0.	0.	0.0178
0.5067	C.	C.	C.	C.	0.	0.	0.	0.0095	0.0205	0.5639
0.	C.	C.	C.	C.	0.	0.	0.	0.0030	0.0072	0.6165
0.	C.	C.	C.	C.	0.	0.	0.	0.0021	0.0036	0.0080
0.6465	C.	C.	C.	C.	0.	0.	0.	0.	0.	0.0014
0.	C.0079	0.6755	0.	C.	0.	0.	0.	0.	0.	0.
0.	C.	C.	C.	C.0083	0.6775	0.	0.	0.	0.	0.
0.	C.	C.	C.	C.	0.	0.	0.	0.0083	0.7127	0.
0.	C.	C.	C.	C.	0.	0.	0.	0.	0.	0.
0.	C.	0.0030								



GROUP	EL(MEV)	FISSION SOURCE	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NUSIGMA-F	TYPE NUMBER 4
1	3.6788E-00	C.13138	0.0000767	0.0000469	0.0000015	0.	0.	
2	2.2313E-00	C.21028	0.0000919	0.0000657	0.	0.	0.	
3	1.3534E-00	C.23119	0.0001152	0.0000927	0.	0.	0.	
4	8.2085E-01	C.18035	0.0001457	0.0001257	0.	0.	0.	
5	4.9787E-01	C.11474	0.0001437	0.0001124	0.	0.	0.	
6	3.0197E-01	C.06474	0.0001907	0.0001568	0.	0.	0.	
7	1.8316E-01	C.03401	0.0001547	0.0001300	0.	0.	0.	
8	1.1109E-01	C.01713	0.0001561	0.0001249	0.	0.	0.	
9	6.7379E-02	C.00841	0.0001580	0.0001224	-0.	0.	0.	
10	4.0868E-02	C.00407	0.0001581	0.0001216	-0.	0.	0.	
11	2.4788E-02	C.00195	0.0001581	0.0001216	-0.	0.	0.	
12	1.5034E-02	C.00093	0.0001581	0.0001216	-0.	0.	0.	
13	9.1188E-03	C.00044	0.0001581	0.0001216	-0.	0.	0.	
14	5.5308E-03	C.00021	0.0001581	0.0001216	-0.	0.	0.	
15	2.0347E-03	C.00015	0.0001581	0.0001216	-0.	0.	0.	

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,...,(NG+1)(NG)

0.0000	C.0000	0.0000	0.0000	C.0000	0.0000	0.0000	0.0000	0.0000	0.0001	0.0000
0.0000	C.0000	0.0000	0.0000	C.0001	C.0000	0.0000	0.0000	0.0000	0.0001	0.
0.0000	C.0000	0.0000	0.0000	C.0000	C.0001	0.0001	0.	0.0000	0.0000	0.0000
0.0000	C.0000	0.0001	0.	C.	0.	0.0000	0.0000	0.0000	0.0000	0.0000
0.0001	C.	0.	0.	C.	0.0000	0.0000	0.0000	0.0000	0.0001	0.0000
0.	C.	0.	0.	C.	0.0000	0.0000	0.0000	0.0000	0.0001	0.0000
0.	C.	0.	0.	C.	0.	0.0000	0.0000	0.0000	0.0000	0.0000
0.0001	C.	0.	0.	C.	0.	0.	0.	0.0000	0.0000	0.0000
0.0000	C.0000	0.0001	0.	C.	0.	0.	0.	0.	0.	0.
0.0000	C.0000	0.0000	0.0000	C.0000	0.0001	0.	0.	0.	0.	0.
0.	C.	0.	0.	C.0000	0.0000	0.0000	0.0001	0.0001	0.0001	0.
0.	C.	0.	0.	C.	0.	0.	0.	0.	0.	0.0000
0.0000	C.0000	0.0001								

GROUP	EL(MEV)	FISSION SOURCE	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NUSIGMA-F	TYPE NUMBER 5
1	3.6788E-00	C.13138	0.0825151	0.0325151	0.0015840	0.	0.	
2	2.2313E-00	C.21028	0.0963680	0.0963680	0.0000181	0.	0.	
3	1.3534E-00	C.23119	0.1204600	0.1204600	0.0000241	0.	0.	
4	8.2085E-01	C.18035	0.1493704	0.1493704	0.0000241	0.	0.	
5	4.9787E-01	C.11474	0.1788831	0.1788831	0.0000422	0.	0.	
6	3.0197E-01	C.06474	0.1909291	0.1909291	0.0000663	0.	0.	
7	1.8316E-01	C.03401	0.2300786	0.2300786	0.0001024	0.	0.	
8	1.1109E-01	C.01713	0.3023546	0.3023546	0.0001385	0.	0.	
9	6.7379E-02	C.00841	0.3601754	0.3601754	0.0001807	0.	0.	
10	4.0868E-02	C.00407	0.1674394	0.1674394	0.	0.	0.	
11	2.4788E-02	C.00195	0.3818582	0.3818582	0.0002349	0.	0.	
12	1.5034E-02	C.00093	0.0451725	0.0451725	0.	0.	0.	
13	9.1188E-03	C.00044	0.0680599	0.0680599	0.	0.	0.	
14	5.5308E-03	C.00021	0.0909473	0.0909473	0.0055592	0.	0.	
15	2.0347E-03	C.00015	0.0825151	0.0825151	0.	0.	0.	

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,...,(NG+1)(NG)

0.0417	C.0184	0.0640	0.0396	C.0217	0.0945	0.0057	0.0050	0.0199	0.1260	0.0031
0.0043	C.0047	0.0208	0.1545	C.0018	0.	0.0013	0.0016	0.0243	0.1656	0.0007
0.0014	C.	0.0006	0.	C.0253	0.2008	0.	0.	0.	0.0002	0.
0.	C.0292	0.2642	0.	C.	0.	0.0001	0.	0.	0.	0.0331
0.3184	C.	0.	0.	C.	0.	0.	0.	0.	0.0416	0.1489
0.	C.	0.	0.	C.	0.	0.	0.	0.	0.0186	0.3382
0.	C.	0.	0.	C.	0.	0.	0.	0.	0.	0.0434
0.0403	C.	0.	0.	C.	0.	0.	0.	0.	0.	0.
0.	C.0049	0.0608	0.	C.	0.	0.	0.	0.	0.	0.
0.	C.	0.	0.	C.0073	0.0757	0.	0.	0.	0.	0.
0.	C.	0.	0.	C.	0.	0.	0.	0.0097	0.0795	0.
0.	C.	0.	0.	C.	0.	0.	0.	0.	0.	0.
0.	C.	0.0031	0.							

# PRINTOUT OF AVERAGED CONSTANTS

GROUP	EL(MEV)	SPECTRUM	FLUX	SIGMA-T	SIGMA-TR	SIGMA-C	SIGMA-F	NU SIGMA-F	NU
1	3.679E-00	0.13138	3.0391E-02	0.1691	0.1238	0.00239	0.00791	0.02451	3.0497
2	2.231E-00	0.21028	5.0951E-02	0.2020	0.1612	0.00027	0.00713	0.01983	2.7802
3	1.353E-00	0.23119	5.7033E-02	0.2413	0.2069	0.00074	0.00562	0.01461	2.6004
4	8.208E-01	C.18035	6.1457E-02	0.2913	0.2602	0.00162	0.00041	0.00106	2.5517
5	4.979E-01	C.11474	7.0444E-02	0.2991	0.2479	0.00152	0.00010	0.00024	2.5200
6	3.020E-01	C.06474	6.0976E-02	0.3968	0.3369	0.00109	0.00008	0.00020	2.4800
7	1.832E-01	C.03401	6.8619E-02	0.3467	0.2997	0.00100	0.00006	0.00015	2.4500
8	1.111E-01	C.01713	6.8738E-02	0.3583	0.2973	0.00118	0.00006	0.00015	2.4400
9	6.738E-02	C.00841	6.8106E-02	0.3672	0.2957	0.00127	0.00006	0.00014	2.4300
10	4.087E-02	C.00407	6.8892E-02	0.3699	0.2967	0.00163	0.00007	0.00016	2.4300
11	2.479E-02	C.00195	6.7507E-02	0.3755	0.3015	0.00183	0.00007	0.00018	2.4200
12	1.503E-02	C.00093	6.7126E-02	0.3747	0.3006	0.00213	0.00009	0.00021	2.4200
13	9.119E-03	C.00044	6.6227E-02	0.3770	0.3025	0.00237	0.00010	0.00024	2.4200
14	5.531E-03	C.00021	6.5499E-02	0.3774	0.3028	0.00263	0.00012	0.00029	2.4200
15	2.035E-03	C.00015	1.2803E-01	0.3801	0.3052	0.00352	0.00013	0.00032	2.4200

SIGMA-IJ (TRANSFER TO GROUP I FROM GROUP J), ARRANGED AS 11, 21, 22, 31, 32, 33,...,(NG+1)(NG)

0.0655	C.0374	0.0808	0.0143	0.0393	0.1014	0.0175	0.0240	0.0560	0.1405	0.0156
0.0243	C.0373	0.0684	0.1459	C.0059	0.0186	0.0244	0.0373	0.0709	0.2106	0.0042
0.0049	C.0139	0.0272	0.0389	C.0101	0.1637	0.0000	0.0028	0.0020	0.0146	0.0271
0.0422	C.0976	0.1728	0.0000	C.0000	0.0000	0.0012	0.0137	0.0271	0.0439	0.0985
0.1811	C.0000	0.0000	0.0000	C.0000	0.0009	0.0135	0.0266	0.0448	0.0996	0.1850
0.0000	C.0000	0.0000	0.0000	C.0000	0.0011	0.0128	0.0266	0.0436	0.0980	0.1897
0.0000	C.0000	0.0000	0.0000	C.0000	0.0000	0.0010	0.0131	0.0265	0.0432	0.0971
0.1889	C.0000	0.0000	0.0000	C.0000	0.0000	0.0000	0.0000	0.0011	0.0138	0.0262
0.0433	C.0987	C.1901	0.0000	C.0000	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000
0.0011	C.0137	0.0263	0.0434	C.0992	0.1899	0.0000	0.0000	0.0000	0.0000	0.0000
0.0000	C.0000	0.0000	0.0001	C.0012	0.0150	0.0401	0.0700	0.1430	0.2410	0.0000
0.0000	C.0000	0.0000	0.0000	C.0000	0.0000	0.0000	0.0000	0.0001	0.0002	0.0014
0.0153	C.0418	0.1354								

PARAMETERS AVERAGED OVER SPACE AND ENERGY

SIGMA-T= 0.34013 SIGMA-TR= 0.27884 1/(TRMFP)= 0.26575 SIGMA-C= 0.001796 SIGMA-F= 0.001021 NU= 2.7695  
 NU\*SIGMA-F= 0.002827 SIGMA-REMOVAL= 0.021204 TAU (TRMFP/(3\*SIGMA-(C+F+R-NU\*F)))= 59.182  
 FRACTION OF SOURCE NEUTRONS ARISING FROM THERMAL FISSIONS= 0.882077  
 RATIO OF FAST TO THERMAL FISSIONS= 0.11682  
 OVERALL RATIO OF U-238 TO U-235 FISSIONS= 0.10493  
 SYMMETRY CLASS, REGION 1, 1 2, 1 3, 1 4, 1  
 U-238/U-235 FISSIONS 0.23597 0.16813 0.09391 0.08137

DISADVANTAGE FACTORS AND VOLUME FRACTIONS

MODERATOR	CELL RADIUS=	VOL FRACT=	THRML FISS SRCE=	LAST ITER=
GRUP	18.6708	0.89555	0.	0.
DISADVNTG FCTR	0.78596	0.78564	0.76709	0.77589
GRUP	11	12	13	14
DISADVNTG FCTR	1.00396	1.00328	1.00731	1.00888
GRUP	1	2	3	4
DISADVNTG FCTR	2.63528	2.37233	2.47583	2.52707
GRUP	11	12	13	14
DISADVNTG FCTR	0.94465	0.95693	0.91454	0.89812
CLASS 1 NC= 1 REGN 1 TYPE 2 RADIUS= 1.2675 VOL FRACT= 0.00461 THRML FISS SRCE= 0.01895 LAST ITER= 0.01894				
GRUP	1	2	3	4
DISADVNTG FCTR	2.63528	2.37233	2.47583	2.52707
GRUP	11	12	13	14
DISADVNTG FCTR	0.94465	0.95693	0.91454	0.89812
CLASS 1 NC= 1 REGN 2 TYPE 4 RADIUS= 1.3030 VOL FRACT= 0.00026 THRML FISS SRCE= 0. LAST ITER= 0.				
GRUP	1	2	3	4
DISADVNTG FCTR	2.60362	2.31047	2.36762	2.33820
GRUP	11	12	13	14
DISADVNTG FCTR	0.95593	0.97129	0.93380	0.92038
CLASS 1 NC= 1 REGN 3 TYPE 5 RADIUS= 1.3843 VOL FRACT= 0.00063 THRML FISS SRCE= 0. LAST ITER= 0.				
GRUP	1	2	3	4
DISADVNTG FCTR	2.56497	2.29181	2.33094	2.27585
GRUP	11	12	13	14
DISADVNTG FCTR	0.95428	0.97332	0.93399	0.92032
CLASS 2 NC= 6 REGN 1 TYPE 2 RADIUS= 1.2675 VOL FRACT= 0.00461 THRML FISS SRCE= 0.03031 LAST ITER= 0.03031				
GRUP	1	2	3	4
DISADVNTG FCTR	2.91623	2.68790	2.83148	2.83435
GRUP	11	12	13	14
DISADVNTG FCTR	0.95235	0.96159	0.92086	0.90498
CLASS 2 NC= 6 REGN 2 TYPE 4 RADIUS= 1.3030 VOL FRACT= 0.00026 THRML FISS SRCE= 0. LAST ITER= 0.				
GRUP	1	2	3	4
DISADVNTG FCTR	2.78297	2.53182	2.62482	2.55857
GRUP	11	12	13	14
DISADVNTG FCTR	0.96266	0.97550	0.94000	0.92726
CLASS 2 NC= 6 REGN 3 TYPE 5 RADIUS= 1.3843 VOL FRACT= 0.00063 THRML FISS SRCE= 0. LAST ITER= 0.				
GRUP	1	2	3	4
DISADVNTG FCTR	2.72446	2.43829	2.56776	2.49752
GRUP	11	12	13	14
DISADVNTG FCTR	0.96084	0.97745	0.94017	0.92721
CLASS 3 NC= 6 REGN 1 TYPE 2 RADIUS= 1.2675 VOL FRACT= 0.00461 THRML FISS SRCE= 0.06236 LAST ITER= 0.06236				
GRUP	1	2	3	4
DISADVNTG FCTR	3.24385	3.08175	3.26417	3.15390
GRUP	11	12	13	14
DISADVNTG FCTR	0.96984	0.97253	0.93865	0.92517
CLASS 3 NC= 6 REGN 2 TYPE 4 RADIUS= 1.3030 VOL FRACT= 0.00026 THRML FISS SRCE= 0. LAST ITER= 0.				
GRUP	1	2	3	4
DISADVNTG FCTR	2.80564	2.63899	2.75775	2.63727
GRUP	11	12	13	14
DISADVNTG FCTR	0.97765	0.98518	0.95753	0.94767
CLASS 3 NC= 6 REGN 3 TYPE 5 RADIUS= 1.3843 VOL FRACT= 0.00063 THRML FISS SRCE= 0. LAST ITER= 0.				
GRUP	1	2	3	4
DISADVNTG FCTR	2.68293	2.53705	2.64460	2.53312
GRUP	11	12	13	14
DISADVNTG FCTR	0.97526	0.98696	0.95763	0.94755
CLASS 4 NC= 6 REGN 1 TYPE 2 RADIUS= 1.2675 VOL FRACT= 0.00461 THRML FISS SRCE= 0.07083 LAST ITER= 0.07083				
GRUP	1	2	3	4
DISADVNTG FCTR	3.14919	3.03632	3.23056	3.10153
GRUP	11	12	13	14
DISADVNTG FCTR	0.97596	0.97661	0.94649	0.93438
CLASS 4 NC= 6 REGN 2 TYPE 4 RADIUS= 1.3030 VOL FRACT= 0.00026 THRML FISS SRCE= 0. LAST ITER= 0.				
GRUP	1	2	3	4
DISADVNTG FCTR	2.62090	2.49463	2.64141	2.52541
GRUP	11	12	13	14
DISADVNTG FCTR	0.98305	0.98895	0.96543	0.95704
CLASS 4 NC= 6 REGN 3 TYPE 5 RADIUS= 1.3843 VOL FRACT= 0.00063 THRML FISS SRCE= 0. LAST ITER= 0.				
GRUP	1	2	3	4
DISADVNTG FCTR	2.47911	2.38977	2.51261	2.41070
GRUP	11	12	13	14
DISADVNTG FCTR	0.98066	0.99071	0.96548	0.95690

AXIS-TO-AXIS SEPARATION	3.8100	6.5991	20.3200	22.4790	24.1300	25.0190	26.2382	27.8638
NO. IN INF. REG. LATTICE	6.0000	6.0000						

WTS(I,J,K) ARRANGED WITHIN ROWS BY I. ROWS ADVANCE BY J, AND GROUPS OF ROWS BY K

[illegible]

RADIUS= 1.3843										
AXIS-TO-AXIS SEPARATION= 3.8100										
GROUP	1	2	3	4	5	6	7	8	9	10
DANCOFF FACTOR	0.00096	0.09381	0.08457	0.07464	0.07847	0.06647	0.07340	0.07480	0.07550	0.07569
GROUP	11	12	13	14	15					
DANCOFF FACTOR	0.07568	0.07567	0.07567	0.07566	0.07566					
RADIUS= 1.3843										
AXIS-TO-AXIS SEPARATION= 6.5991										
GROUP	1	2	3	4	5	6	7	8	9	10
DANCOFF FACTOR	0.02594	0.02098	0.01557	0.01087	0.01255	0.00779	0.01036	0.01094	0.01124	0.01132
GROUP	11	12	13	14	15					
DANCOFF FACTOR	0.01131	0.01131	0.01131	0.01130	0.01130					
RADIUS= 1.3843										
AXIS-TO-AXIS SEPARATION=20.3200										
GROUP	1	2	3	4	5	6	7	8	9	10
DANCOFF FACTOR	0.000245	0.000107	0.000033	0.000008	0.000014	0.000002	0.000007	0.000008	0.000009	0.000009
GROUP	11	12	13	14	15					
DANCOFF FACTOR	0.000009	0.000009	0.000009	0.000009	0.000009					
RADIUS= 1.3843										
AXIS-TO-AXIS SEPARATION=22.4790										
GROUP	1	2	3	4	5	6	7	8	9	10
DANCOFF FACTOR	0.00173	0.00069	0.00019	0.00004	0.00007	0.00001	0.00003	0.00004	0.00004	0.00005
GROUP	11	12	13	14	15					
DANCOFF FACTOR	0.00005	0.00005	0.00005	0.00005	0.00005					
RADIUS= 1.3843										
AXIS-TO-AXIS SEPARATION=24.1300										
GROUP	1	2	3	4	5	6	7	8	9	10
DANCOFF FACTOR	0.00133	0.00049	0.00012	0.00002	0.00004	0.00000	0.00002	0.00002	0.00003	0.00003
GROUP	11	12	13	14	15					
DANCOFF FACTOR	0.00003	0.00003	0.00003	0.00003	0.00003					
RADIUS= 1.3843										
AXIS-TO-AXIS SEPARATION=25.0190										
GROUP	1	2	3	4	5	6	7	8	9	10
DANCOFF FACTOR	0.00116	0.00041	0.00010	0.00002	0.00003	0.00000	0.00001	0.00002	0.00002	0.00002
GROUP	11	12	13	14	15					
DANCOFF FACTOR	0.00002	0.00002	0.00002	0.00002	0.00002					
RADIUS= 1.3843										
AXIS-TO-AXIS SEPARATION=26.2382										
GROUP	1	2	3	4	5	6	7	8	9	10
DANCOFF FACTOR	0.00096	0.00032	0.00007	0.00001	0.00002	0.00000	0.00001	0.00001	0.00001	0.00001
GROUP	11	12	13	14	15					
DANCOFF FACTOR	0.00001	0.00001	0.00001	0.00001	0.00001					
RADIUS= 1.3843										
AXIS-TO-AXIS SEPARATION=27.8638										
GROUP	1	2	3	4	5	6	7	8	9	10
DANCOFF FACTOR	0.00075	0.00024	0.00005	0.00001	0.00001	0.00000	0.00000	0.00001	0.00001	0.00001
GROUP	11	12	13	14	15					
DANCOFF FACTOR	0.00001	0.00001	0.00001	0.00001	0.00001					
RADIUS= 1.3843										
AXIS-TO-AXIS SEPARATION=27.9400										
GROUP	1	2	3	4	5	6	7	8	9	10
DANCOFF FACTOR	0.00074	0.00023	0.00005	0.00001	0					

PRINTOUT OF TRANSMISSION PROBABILITIES

CLASS 1 REGION 1										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCC	0.63891	0.58998	0.57493	0.56630	0.53230	0.46487	0.39463	0.33592	0.29333	0.26677
GRUP	11	12	13	14	15					
TPCC	0.24083	0.22587	0.21200	0.20963	0.19318					
CLASS 1 REGION 2										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCI	1.00000	1.00000	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999
TPCC	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729
GRUP	11	12	13	14	15					
TPCI	0.99999	0.99999	0.99999	0.99999	0.99999					
TPCC	0.02729	0.02729	0.02729	0.02729	0.02729					
CLASS 1 REGION 3										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCI	0.98834	0.98640	0.98304	0.97903	0.97496	0.97331	0.96796	0.95819	0.95047	0.97654
TPCC	0.05501	0.05442	0.05341	0.05224	0.05107	0.05060	0.04912	0.04652	0.04457	0.05152
GRUP	11	12	13	14	15					
TPCI	0.94760	0.99358	0.99035	0.98716	0.98834					
TPCC	0.04387	0.05665	0.05564	0.05465	0.05501					
CLASS 2 REGION 1										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCC	0.63891	0.58998	0.57493	0.56630	0.53230	0.46487	0.39463	0.33592	0.29333	0.26677
GRUP	11	12	13	14	15					
TPCC	0.24083	0.22587	0.21200	0.20963	0.19318					
CLASS 2 REGION 2										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCI	1.00000	1.00000	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999
TPCC	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729
GRUP	11	12	13	14	15					
TPCI	0.99999	0.99999	0.99999	0.99999	0.99999					
TPCC	0.02729	0.02729	0.02729	0.02729	0.02729					
CLASS 2 REGION 3										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCI	0.98834	0.98640	0.98304	0.97903	0.97496	0.97331	0.96796	0.95819	0.95047	0.97654
TPCC	0.05501	0.05442	0.05341	0.05224	0.05107	0.05060	0.04912	0.04652	0.04457	0.05152
GRUP	11	12	13	14	15					
TPCI	0.94760	0.99358	0.99035	0.98716	0.98834					
TPCC	0.04387	0.05665	0.05564	0.05465	0.05501					
CLASS 3 REGION 1										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCC	0.63891	0.58998	0.57493	0.56630	0.53230	0.46487	0.39463	0.33592	0.29333	0.26677
GRUP	11	12	13	14	15					
TPCC	0.24083	0.22587	0.21200	0.20963	0.19318					
CLASS 3 REGION 2										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCI	1.00000	1.00000	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999
TPCC	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729
GRUP	11	12	13	14	15					
TPCI	0.99999	0.99999	0.99999	0.99999	0.99999					
TPCC	0.02729	0.02729	0.02729	0.02729	0.02729					
CLASS 3 REGION 3										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCI	0.98834	0.98640	0.98304	0.97903	0.97496	0.97331	0.96796	0.95819	0.95047	0.97654
TPCC	0.05501	0.05442	0.05341	0.05224	0.05107	0.05060	0.04912	0.04652	0.04457	0.05152
GRUP	11	12	13	14	15					
TPCI	0.94760	0.99358	0.99035	0.98716	0.98834					
TPCC	0.04387	0.05665	0.05564	0.05465	0.05501					
CLASS 4 REGION 1										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCC	0.63891	0.58998	0.57493	0.56630	0.53230	0.46487	0.39463	0.33592	0.29333	0.26677
GRUP	11	12	13	14	15					
TPCC	0.24083	0.22587	0.21200	0.20963	0.19318					
CLASS 4 REGION 2										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCI	1.00000	1.00000	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999	0.99999
TPCC	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729	0.02729
GRUP	11	12	13	14	15					
TPCI	0.99999	0.99999	0.99999	0.99999	0.99999					
TPCC	0.02729	0.02729	0.02729	0.02729	0.02729					
CLASS 4 REGION 3										
GRUP	1	2	3	4	5	6	7	8	9	10
TPCI	0.98834	0.98640	0.98304	0.97903	0.97496	0.97331	0.96796	0.95819	0.95047	0.97654
TPCC	0.05501	0.05442	0.05341	0.05224	0.05107	0.05060	0.04912	0.04652	0.04457	0.05152
GRUP	11	12	13	14	15					
TPCI	0.94760	0.99358	0.99035	0.98716	0.98834					
TPCC	0.04387	0.05665	0.05564	0.05465	0.05501					